

Numerical analysis of the e-beam/sputter/liftoff process

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Outline

Topics:

- Facilities
- Liftoff process
- EBL mask fabrication
- Pattern transfer by liftoff
- Sputtering process
- Monte Carlo sputtering
- Computational results



Facilities

- Lithography
 - Optical
 - Electron beam
- Deposition (mainly sputtering)
 - 2 x UHV Magnetron sputtering (S/F)
 - High pressure reactive sputtering (Oxides)
 - RF diode sputtering (Z-400)
 - Evaporation (K-cell)
- Etching
 - Wet etching
 - Ion beam etching / Ion milling



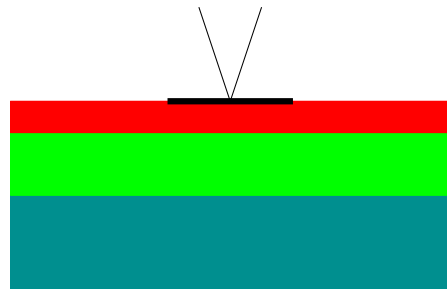
Lift-off process



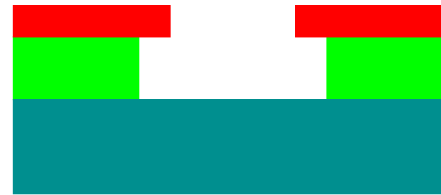
Substrate



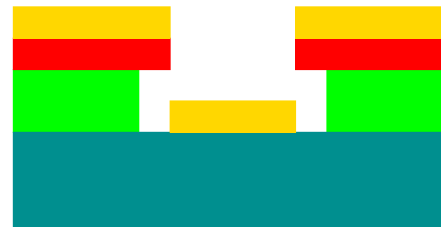
PMMA
PMGI



Expose



Develop



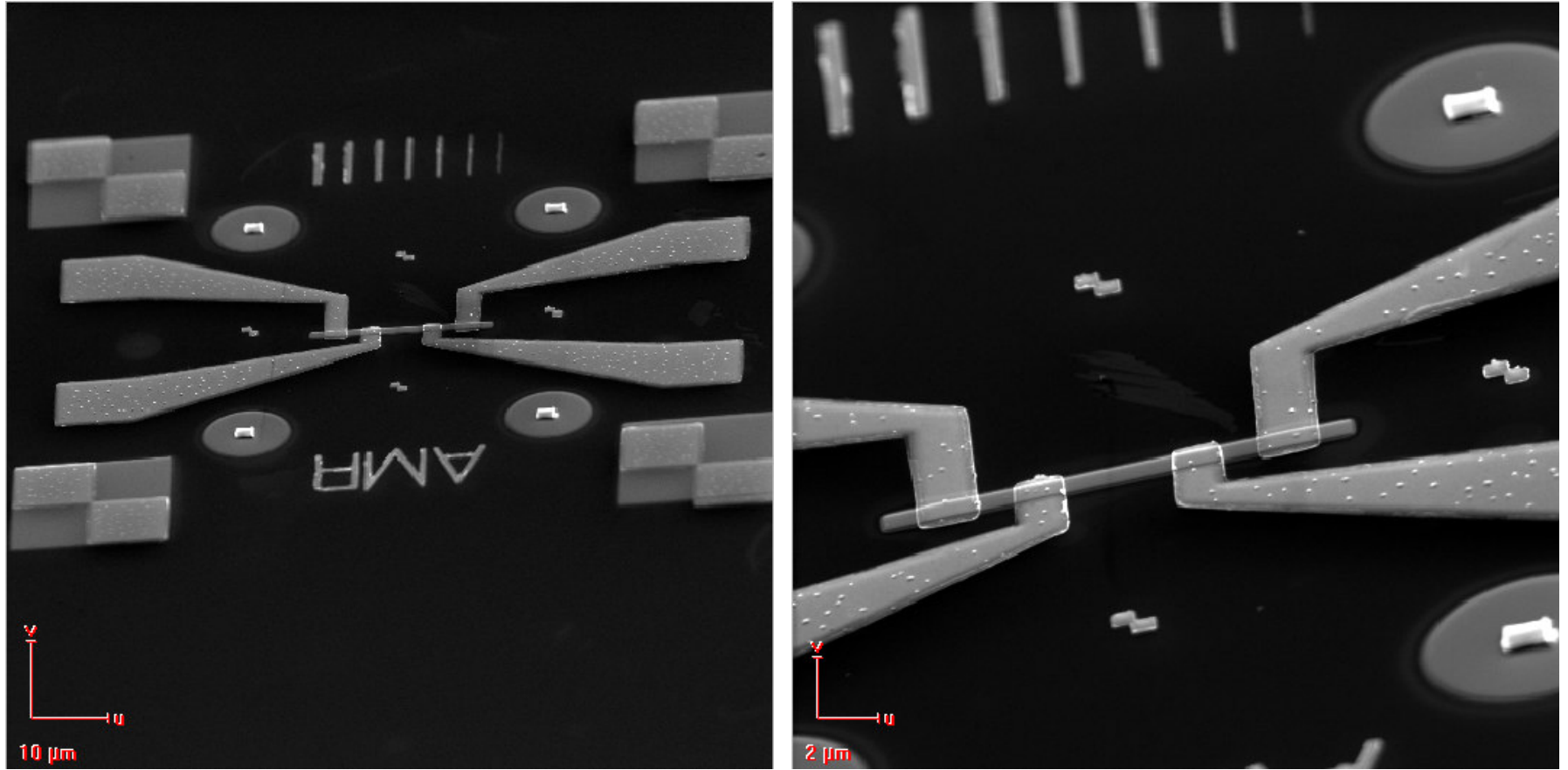
Sputter



Liftoff

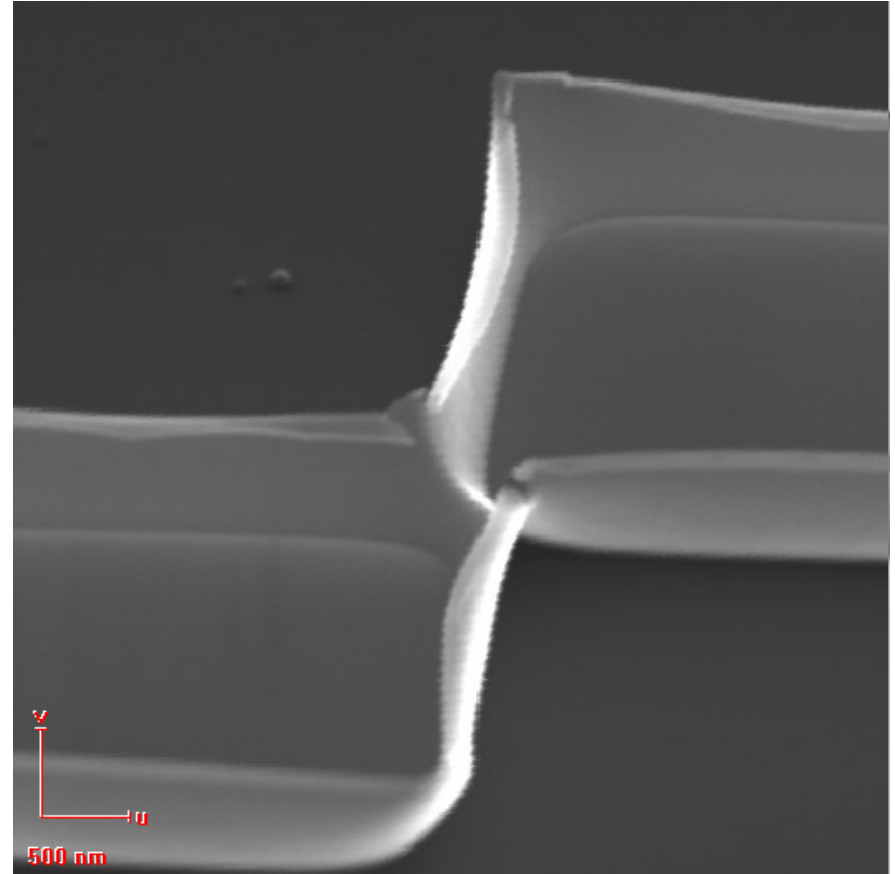
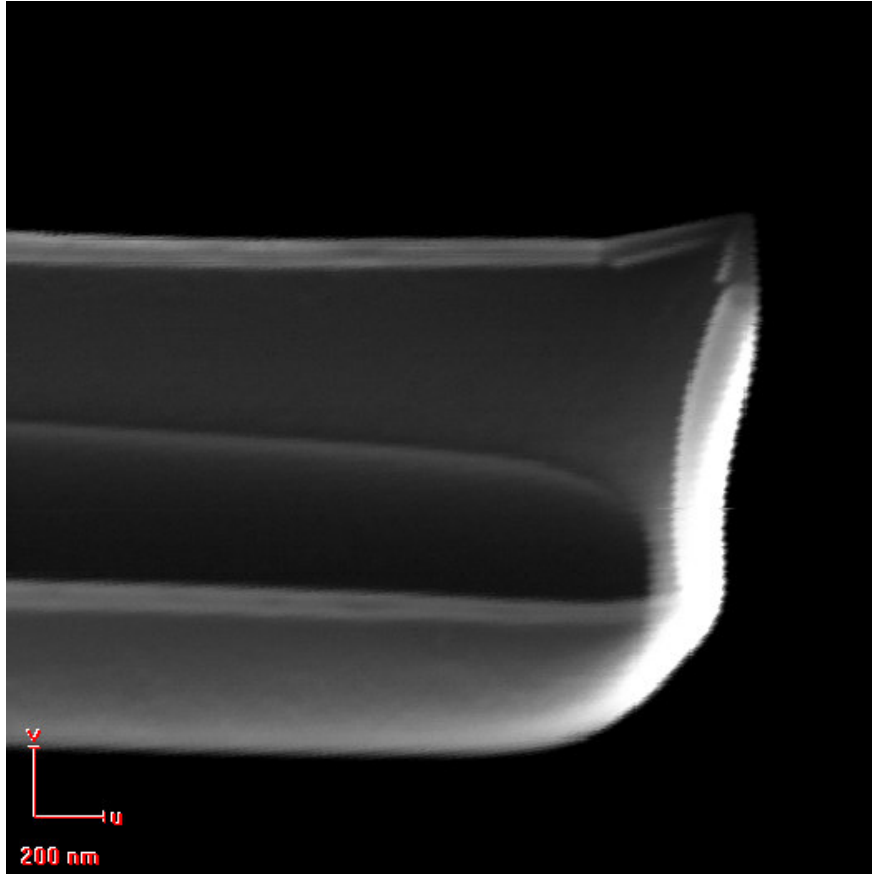
We can do this with sputtering!

Lift-off: a typical structure



Well-defined sharp edges

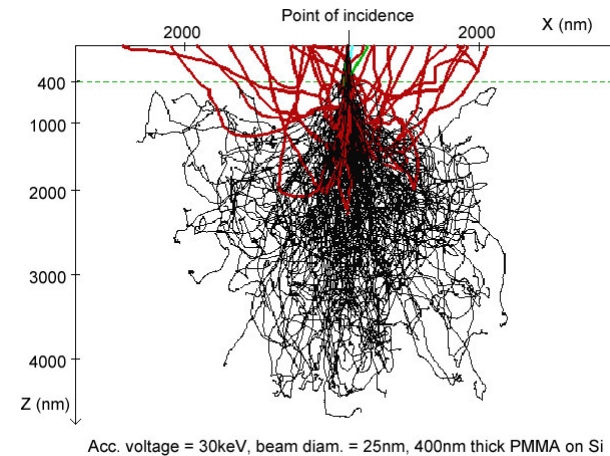
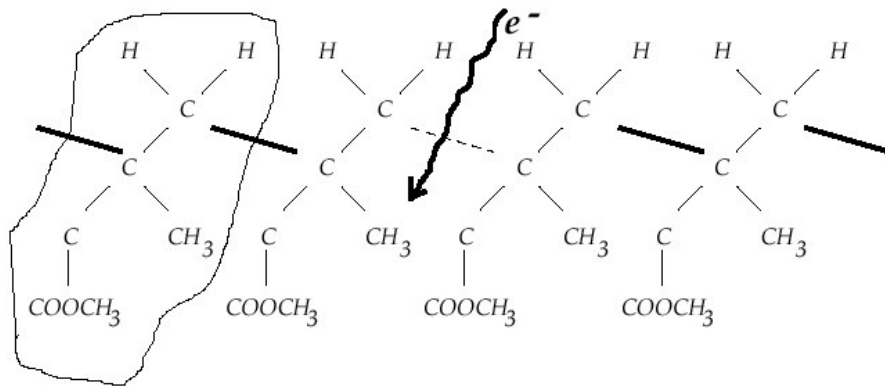
Liftoff: Oops



Failure: Several nm thick, 600 nm high edges!

E-beam lithography

EBL: modify a *resist* locally by electron bombardment so that the solubility in a *developer* is changed.



- secondary electrons
- forward scattering
- backscattering

2-gaussian model

1D proximity effect:

$$dose(x) = pattern(x) * scatter(x)$$

where $*$ is the infinite convolution

$$f * g = \int_{-\infty}^{\infty} f(\xi)g(x - \xi)d\xi$$

and

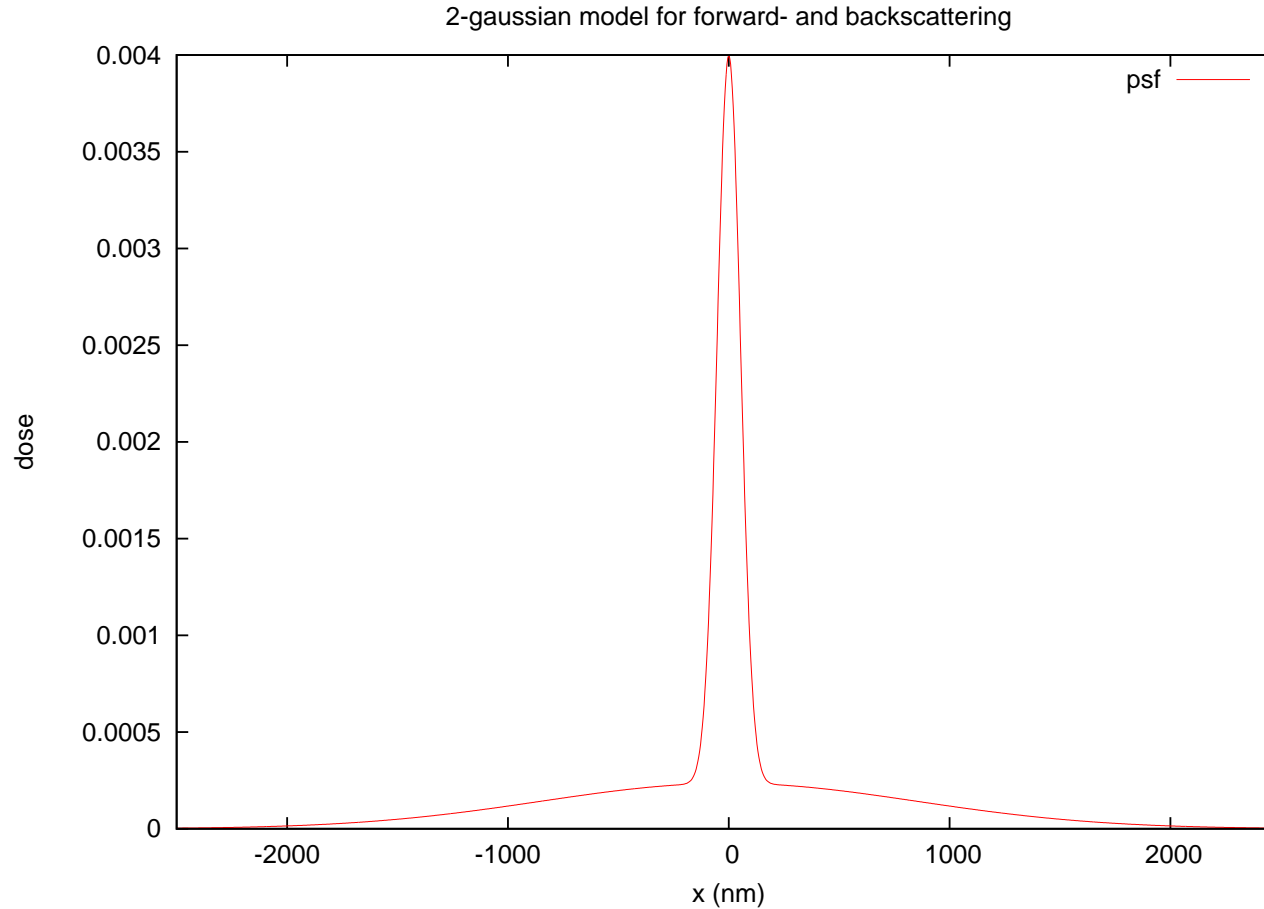
$$scatter(x) = \frac{1}{\sqrt{\pi}(1+\eta)} \left(\frac{1}{\alpha} e^{-\frac{x^2}{\alpha^2}} + \frac{\eta}{\beta} e^{-\frac{x^2}{\beta^2}} \right)$$

$scatter(x)$ is normalized: $\int_{-\infty}^{\infty} scatter(x)dx = 1$

Typical values for 500 nm PMMA on Si:

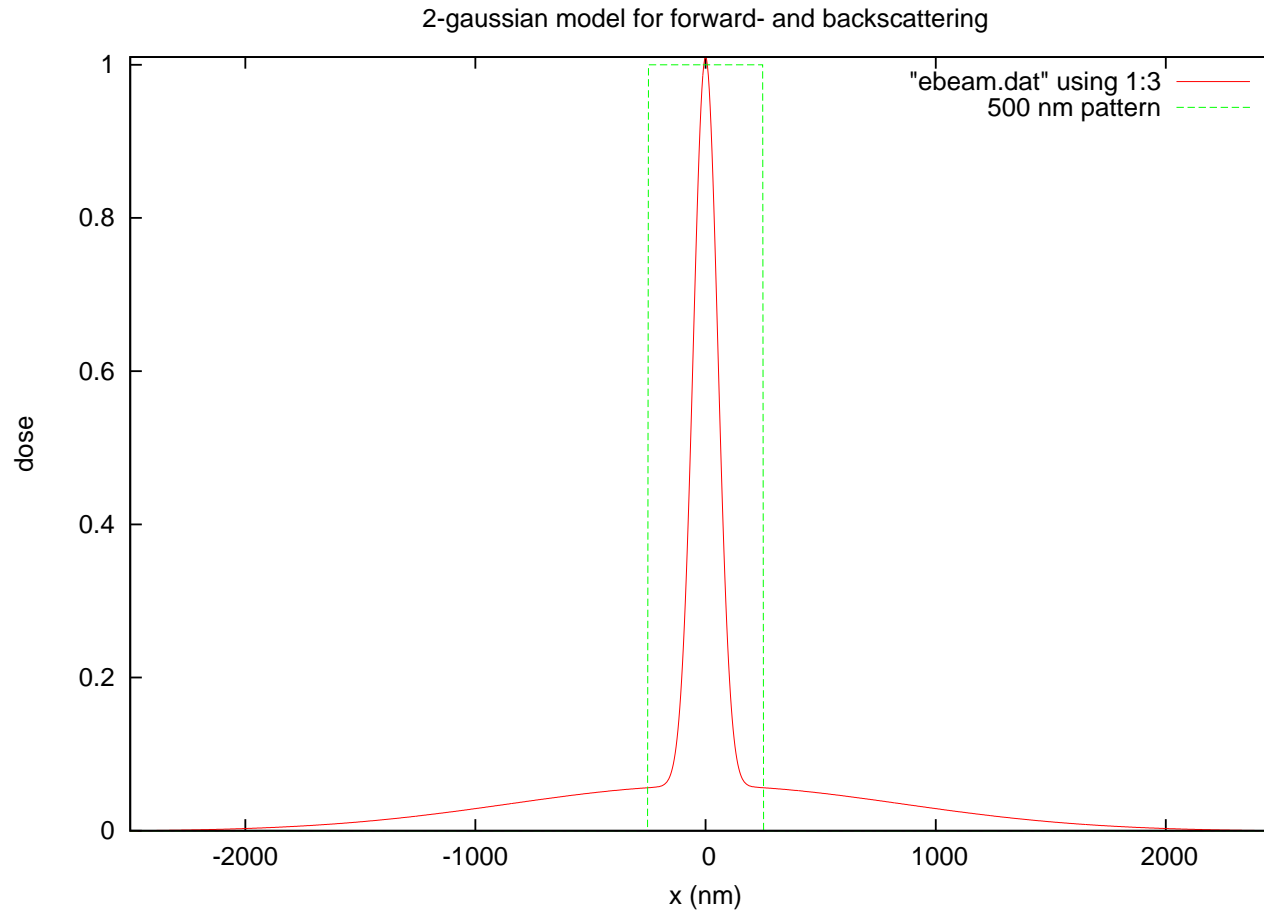
$\alpha = 75\text{nm}$, $\beta = 3000\text{nm}$, $\eta = 0.7$ (Casino, test patterns etc.)

EBL example: PMGI/PMMA bilayer



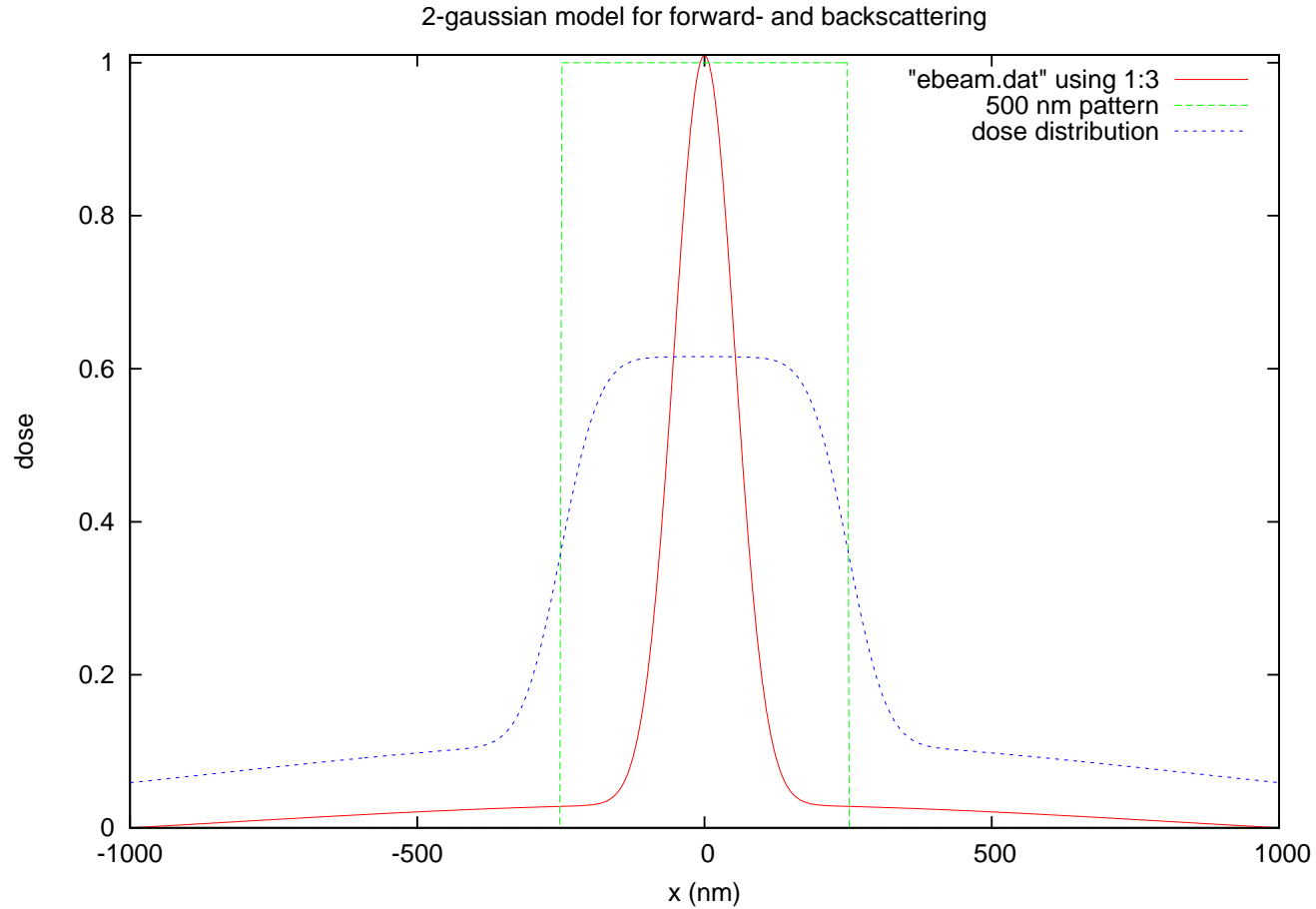
Scatter distribution

EBL example: PMGI/PMMA bilayer



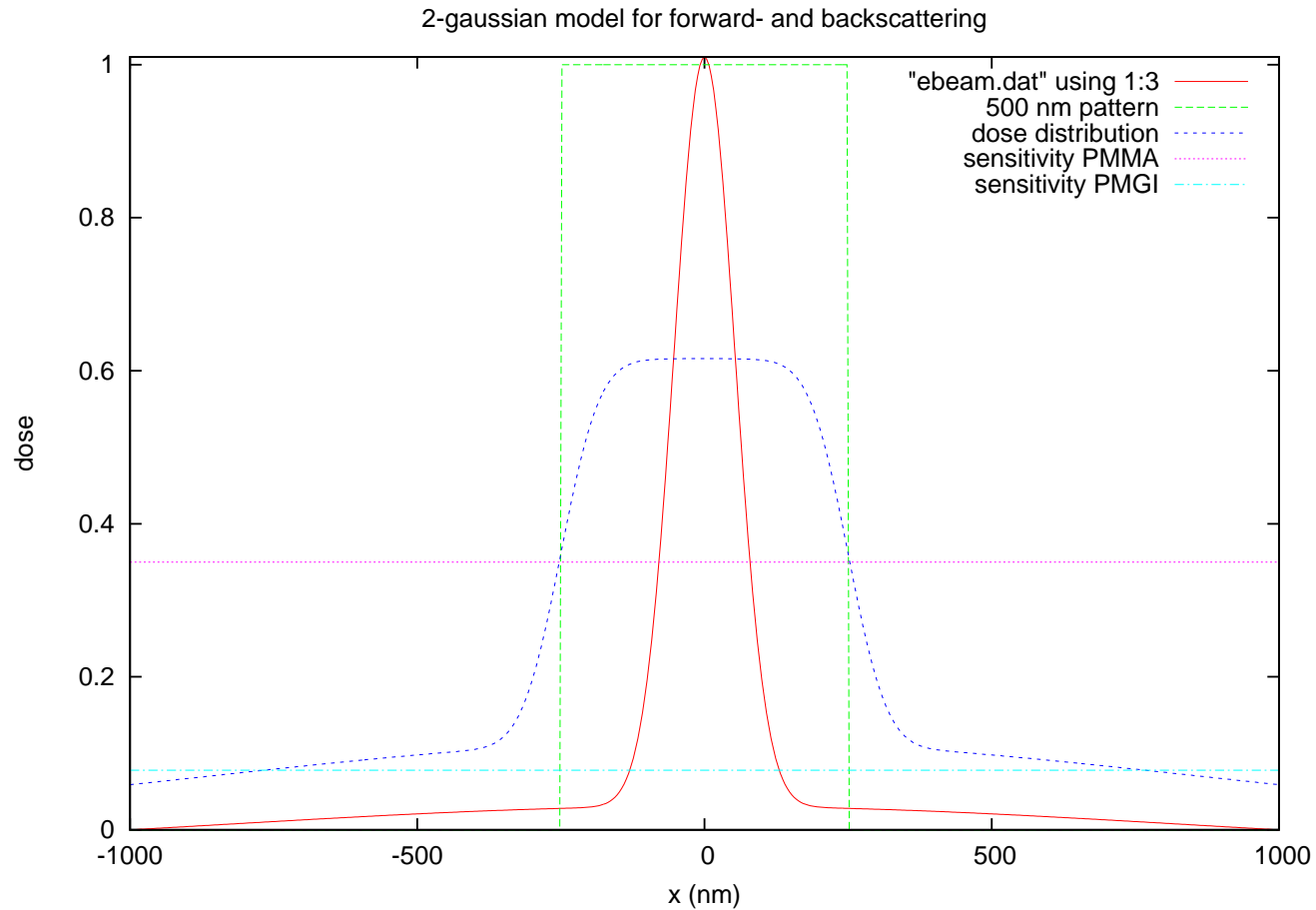
500 nm Pattern

EBL example: PMGI/PMMA bilayer



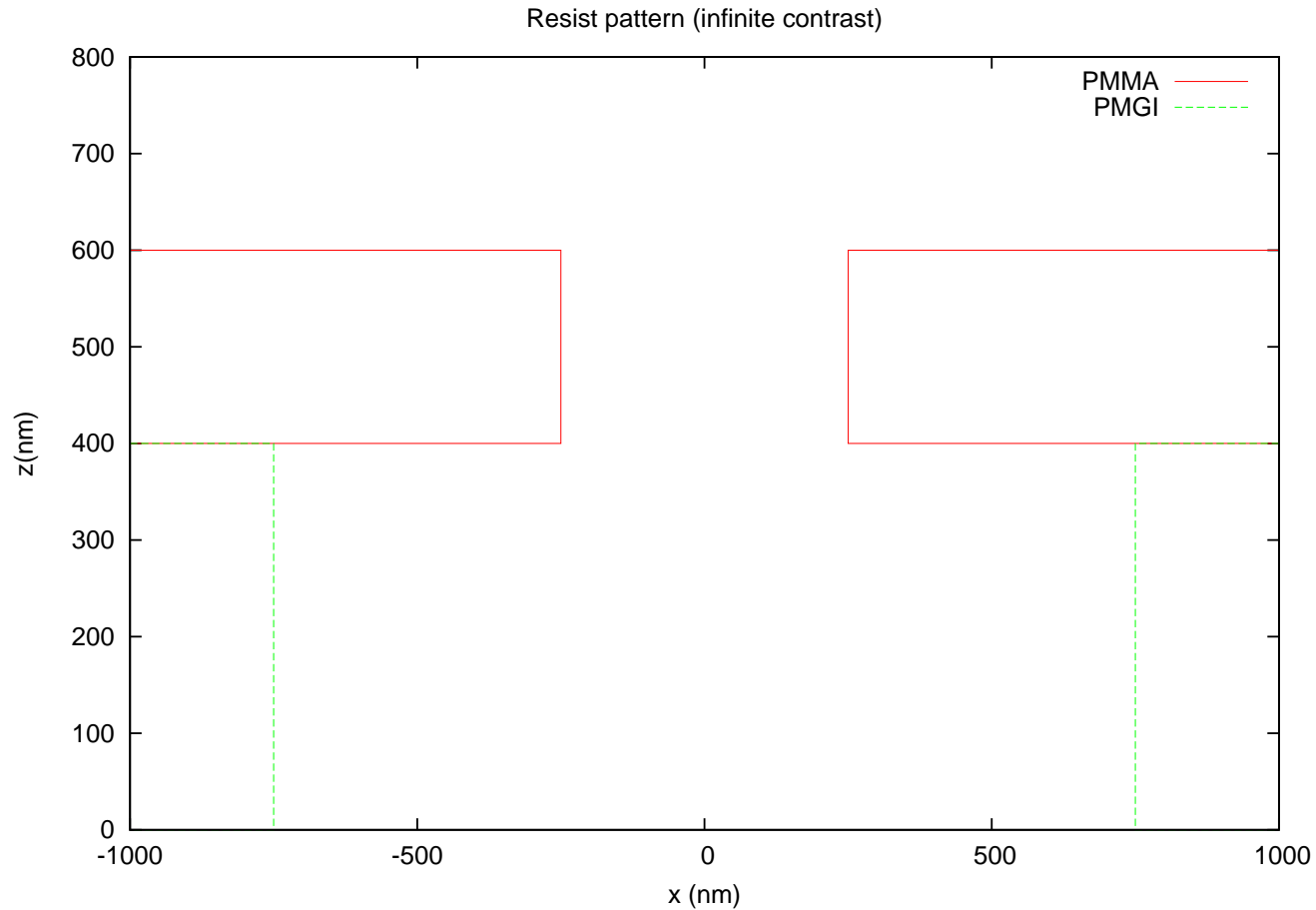
Dose profile

EBL example: PMGI/PMMA bilayer



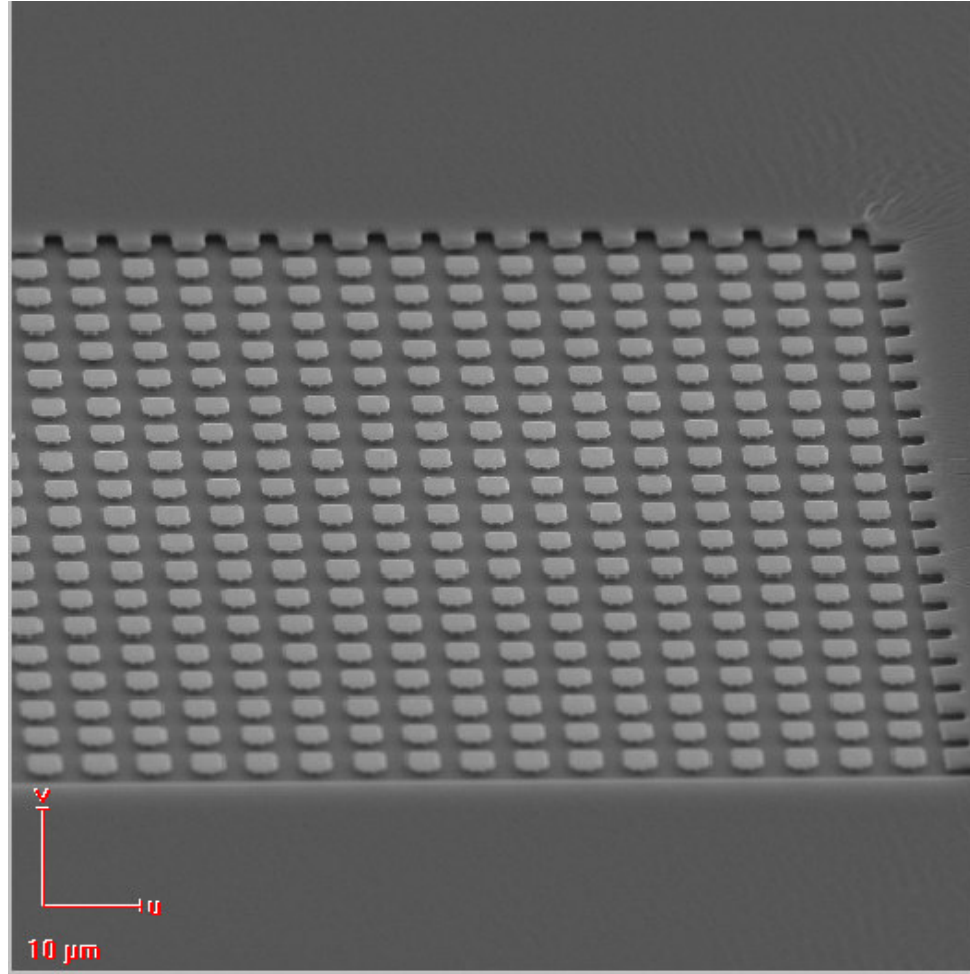
Clearing criterion: $dose(x) \geq d_{cresist}$

EBL example: PMGI/PMMA bilayer



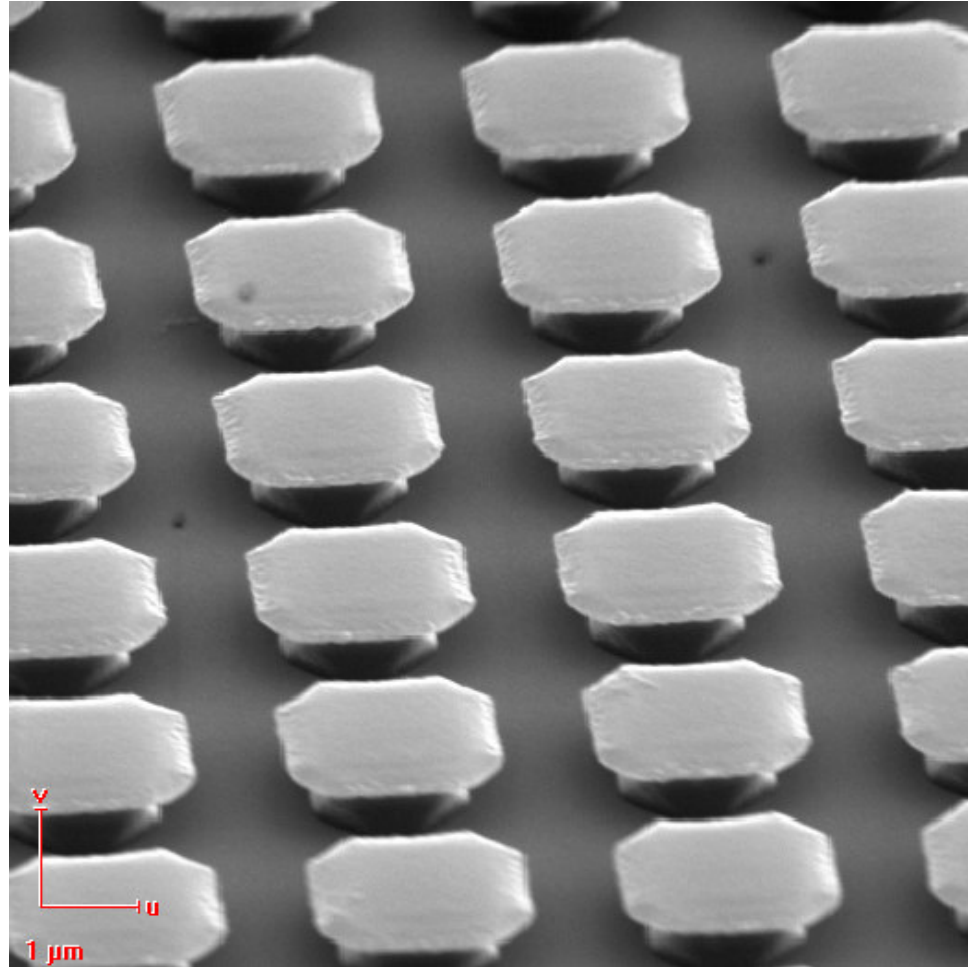
Resist after development (infinite contrast)

PMGI/PMMA bilayer: undercut pattern



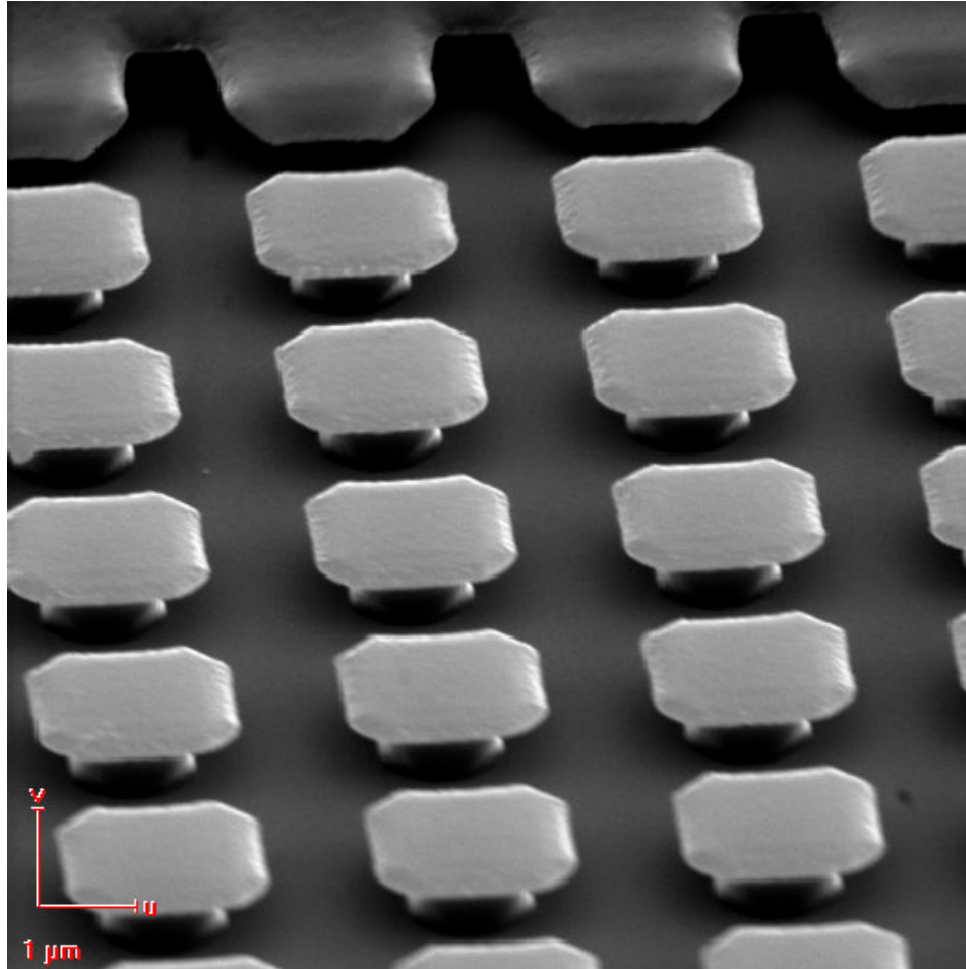
100 x 100 μm test field

PMGI/PMMA bilayer: dose scan



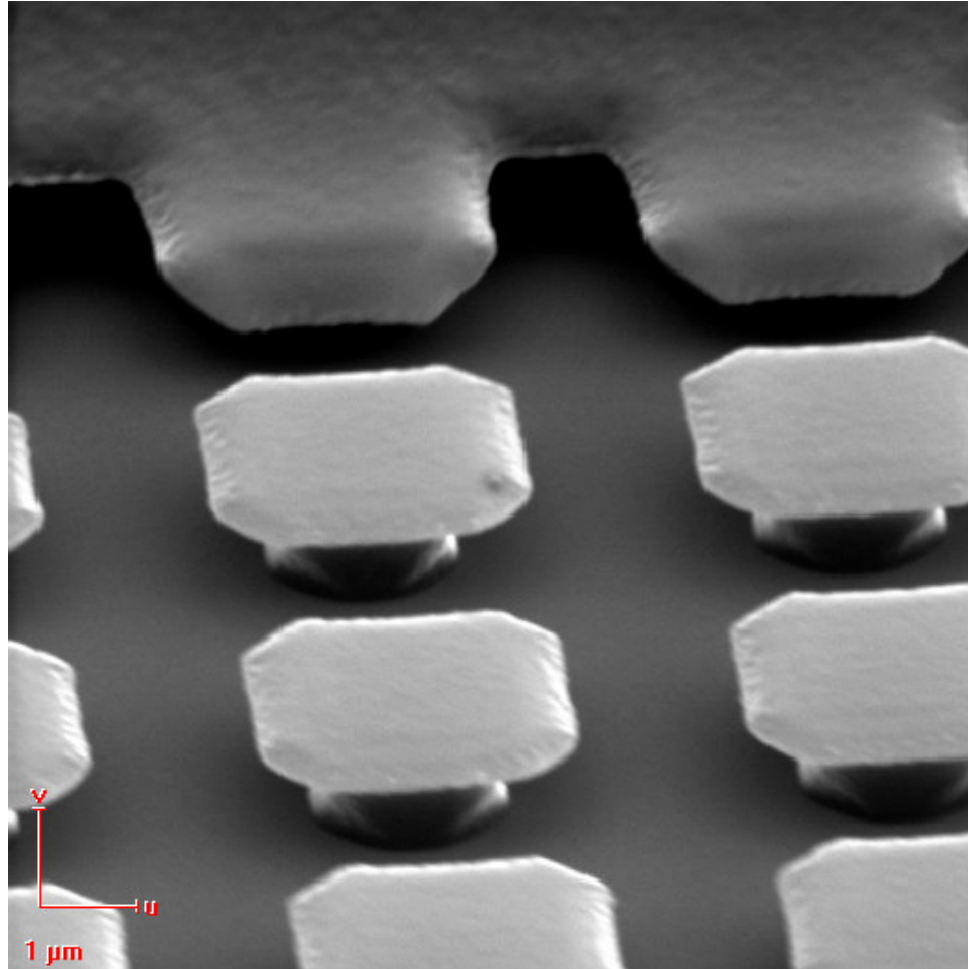
$80\mu C/cm^2$

PMGI/PMMA bilayer: dose scan



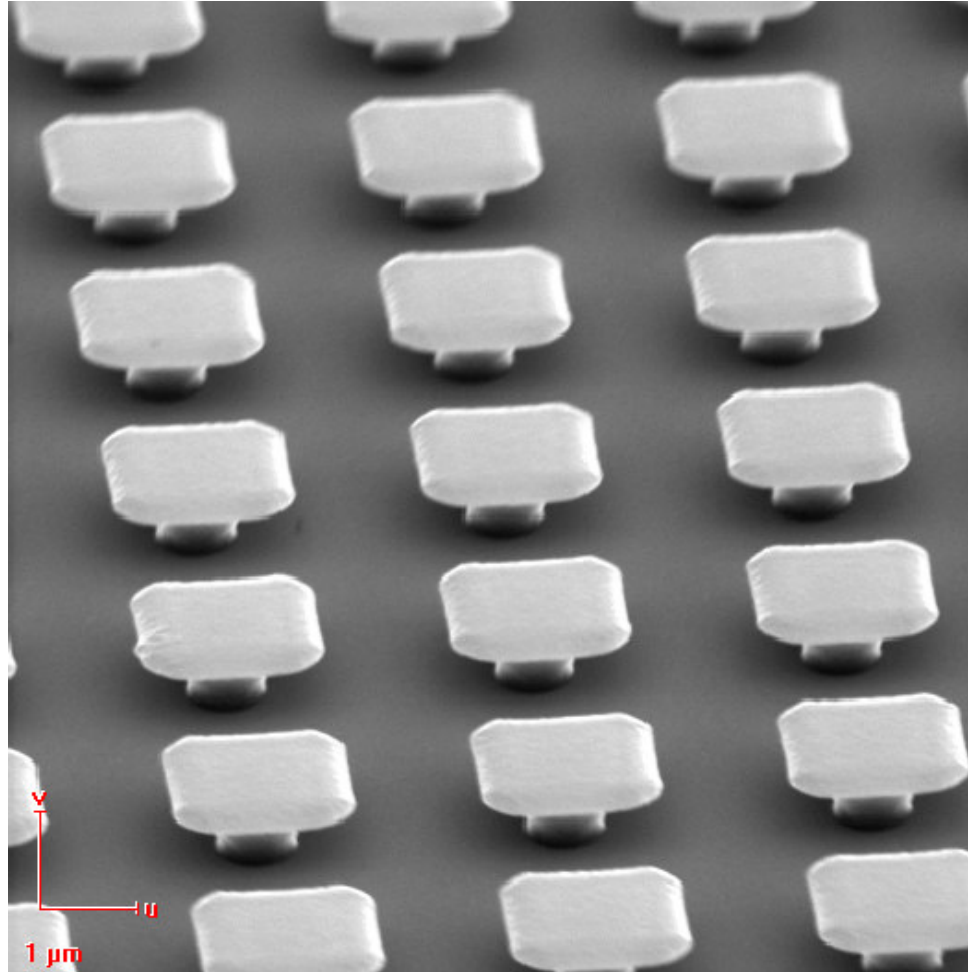
$88\mu\text{C}/\text{cm}^2$

PMGI/PMMA bilayer: dose scan



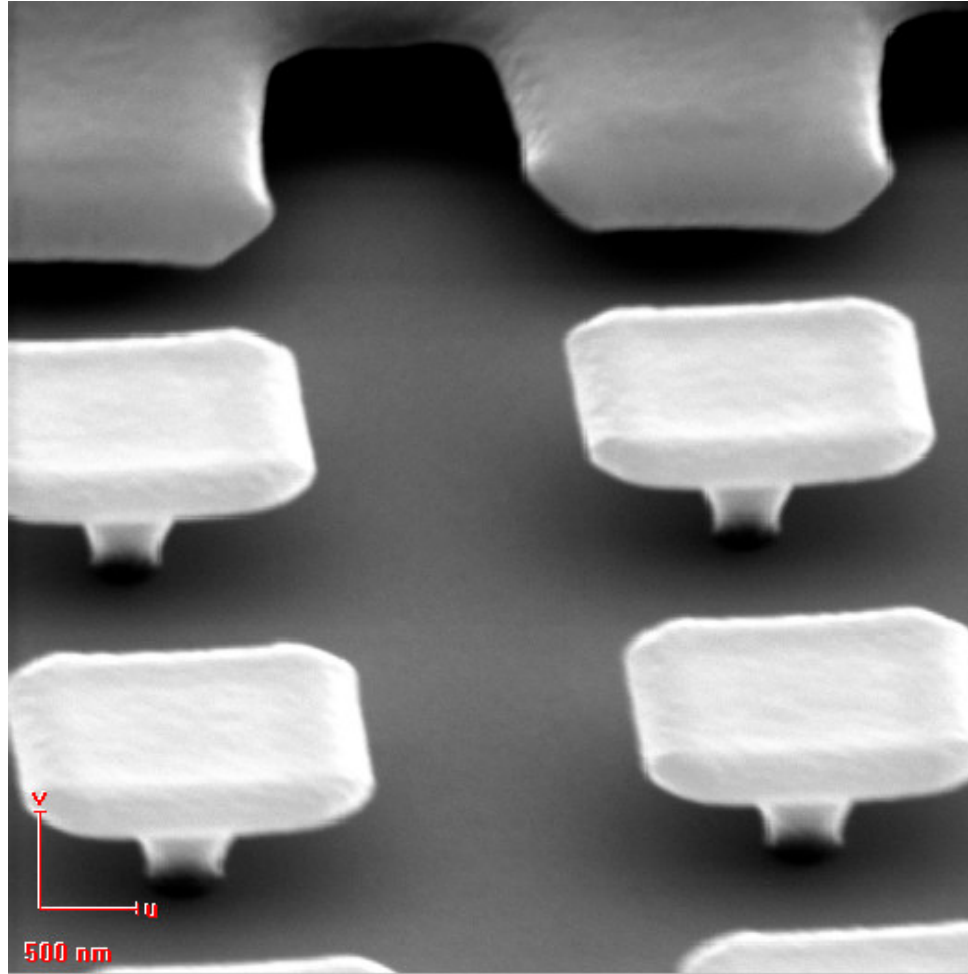
$96 \mu\text{C}/\text{cm}^2$

PMGI/PMMA bilayer: dose scan



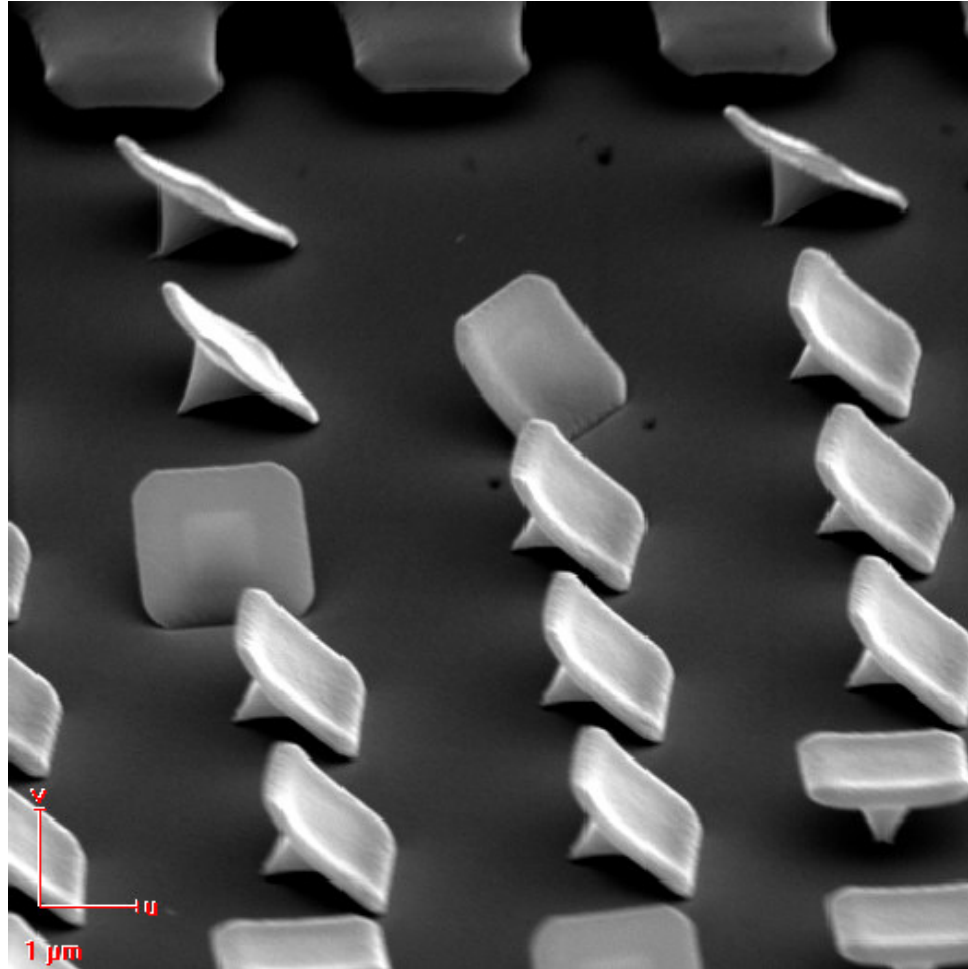
$104\mu\text{C}/\text{cm}^2$

PMGI/PMMA bilayer: dose scan



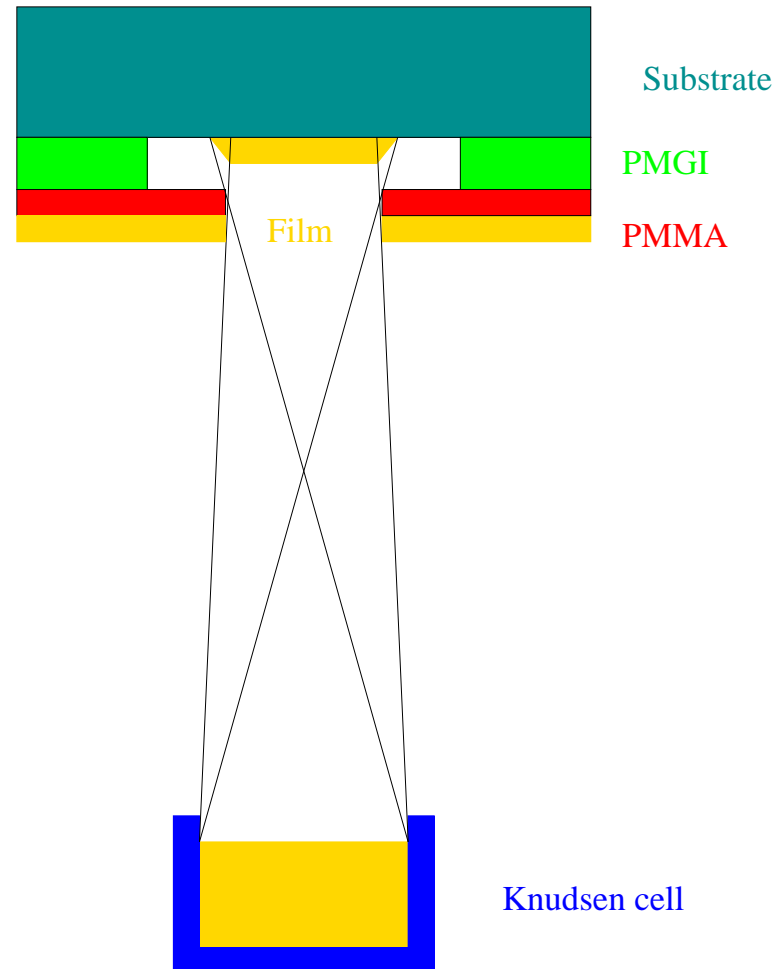
$112\mu\text{C}/\text{cm}^2$

PMGI/PMMA bilayer: dose scan



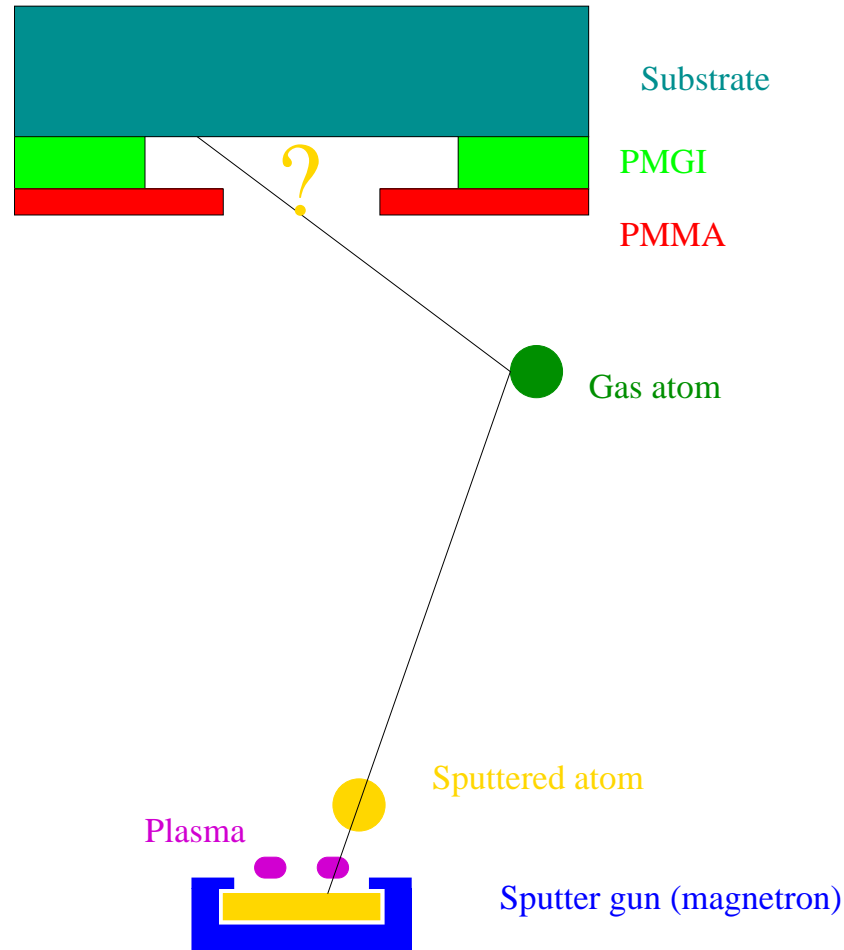
$120\mu C/cm^2$

Pattern transfer: K-cell



$$flux \sim \cos \phi \text{ (effusion)}$$

Pattern transfer: Magnetron



What does the strip cross-section look like?

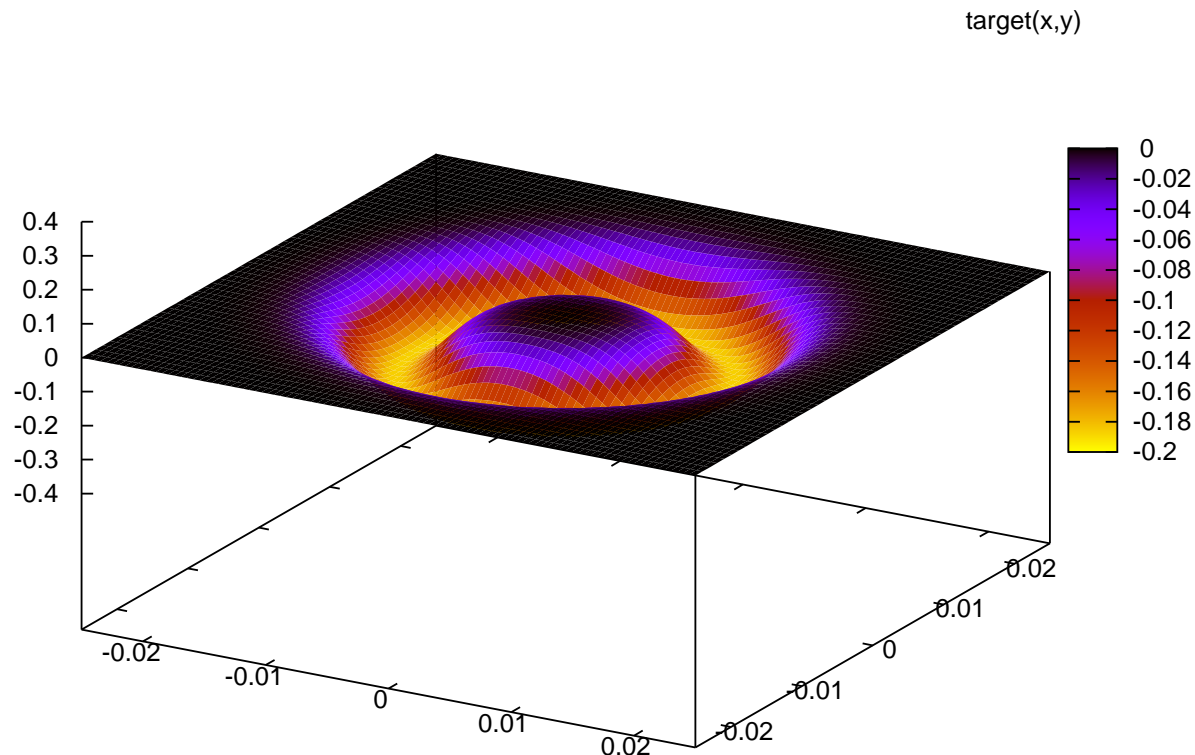
Monte Carlo simulation of sputtering

Statelessness of MC is justified: collisions between sputtered atoms are rare and the effect of the collisions with the sputtering gas can be described by a (not so relevant) steady state temperature of the gas (≈ 450 K)

We need a statistically accurate description of the sputtering process for a realistic geometry

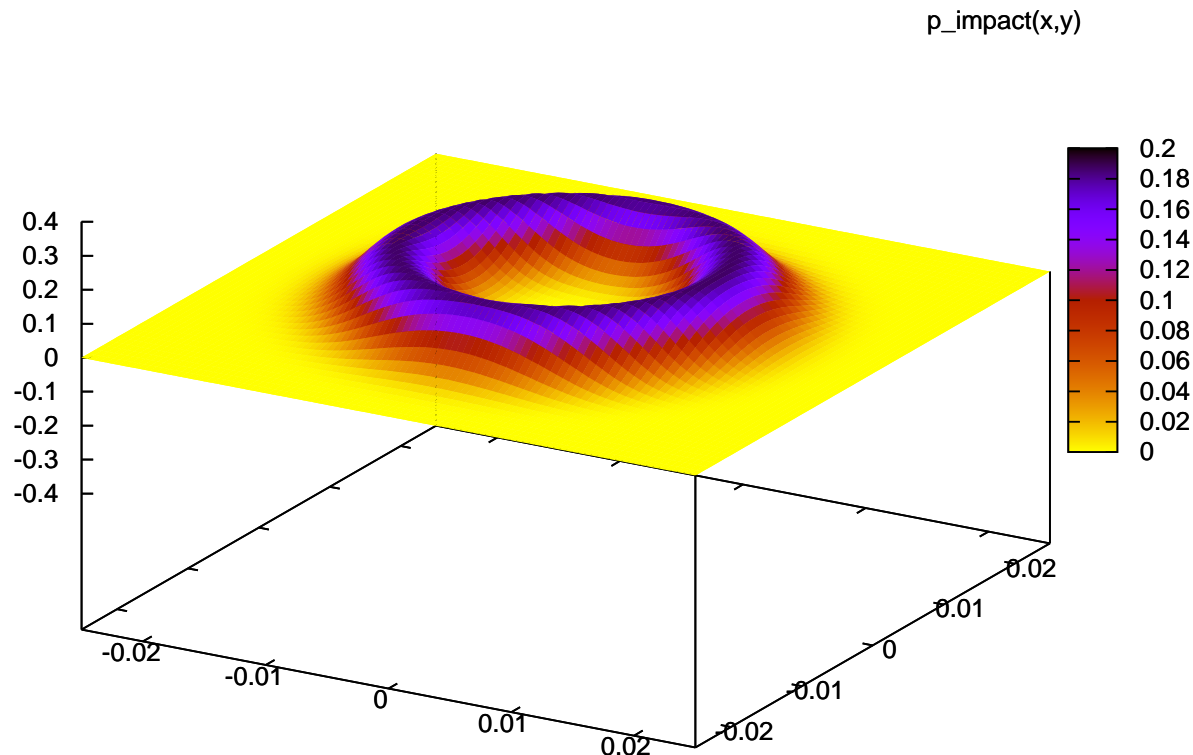
Sputtering: ion impact

- plasma: constant (low) potential region
- ionization fraction varies because B inhomogeneous
- ions accelerate in Crooke's dark space \perp target



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Sputtering: ion impact

- plasma: constant (low) potential region
- ionization fraction varies because B inhomogenous
- ions accelerate in Crooke's dark space \perp target

$$P_{\text{impact}}(r, \theta) = N_{\mu, \sigma}(r) U_{[0, 2\pi)}(\theta)$$

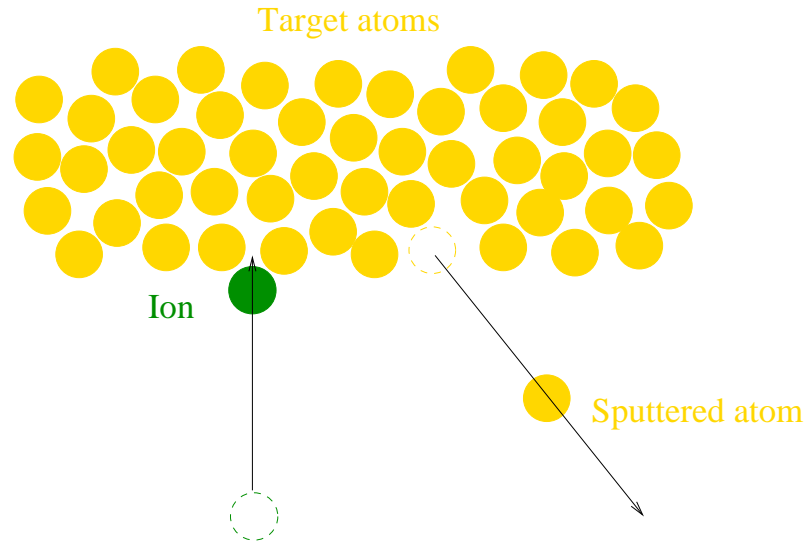
Sample a normal distribution for r :

$$r = \mu + \sigma N(\rho_1)$$

and a uniform distribution for θ :

$$\theta = 2\pi\rho_2$$

Sputtering: Nascent distribution



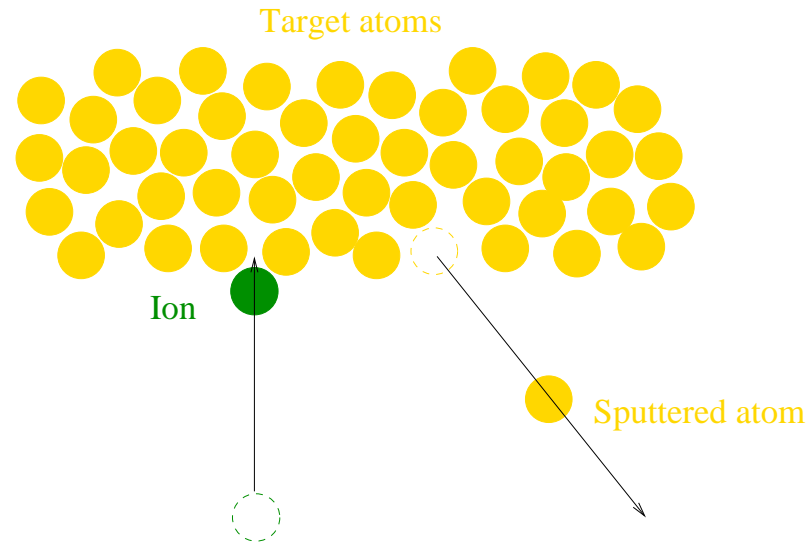
Thompson theory (accurate for amorphous targets)

Flux:

$$\Phi(E, \phi) d\Omega dE = \frac{\pi a^2 \Lambda E_a \eta D \Phi_1}{16} \cos \phi \frac{1 - [(E_{surf} + E) / (\Lambda E_{ion})]^{1/2}}{E^2 (1 + E_{surf} / E)^3} d\Omega dE$$

$$E_a = \frac{2E_R (Z_1 Z_2)^{7/6} (m_t + m_g)}{em_g}, \quad \Lambda = \frac{4m_t m_g}{(m_t + m_g)^2}$$

Sputtering: Thompson distribution

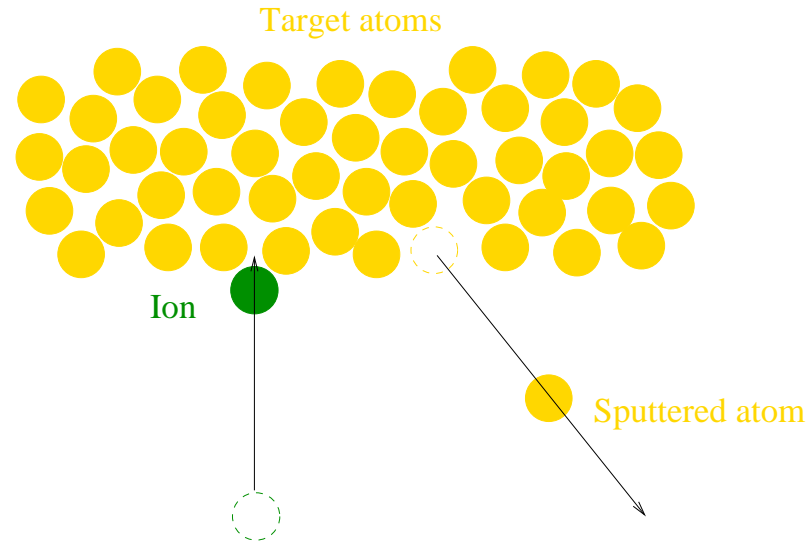


Thompson:

$$\Phi(E, \phi) d\Omega dE \sim \cos \phi \frac{1 - [(E_{surf} + E) / (\Lambda E_{ion})]^{1/2}}{E^2 (1 + E_{surf} / E)^3} d\Omega dE$$

$$\Lambda = \frac{4m_t m_g}{(m_t + m_g)^2}, \quad E_{ion} = V_{source}, \quad E_{surf} = \text{surface binding energy}$$

Sputtering probabilities



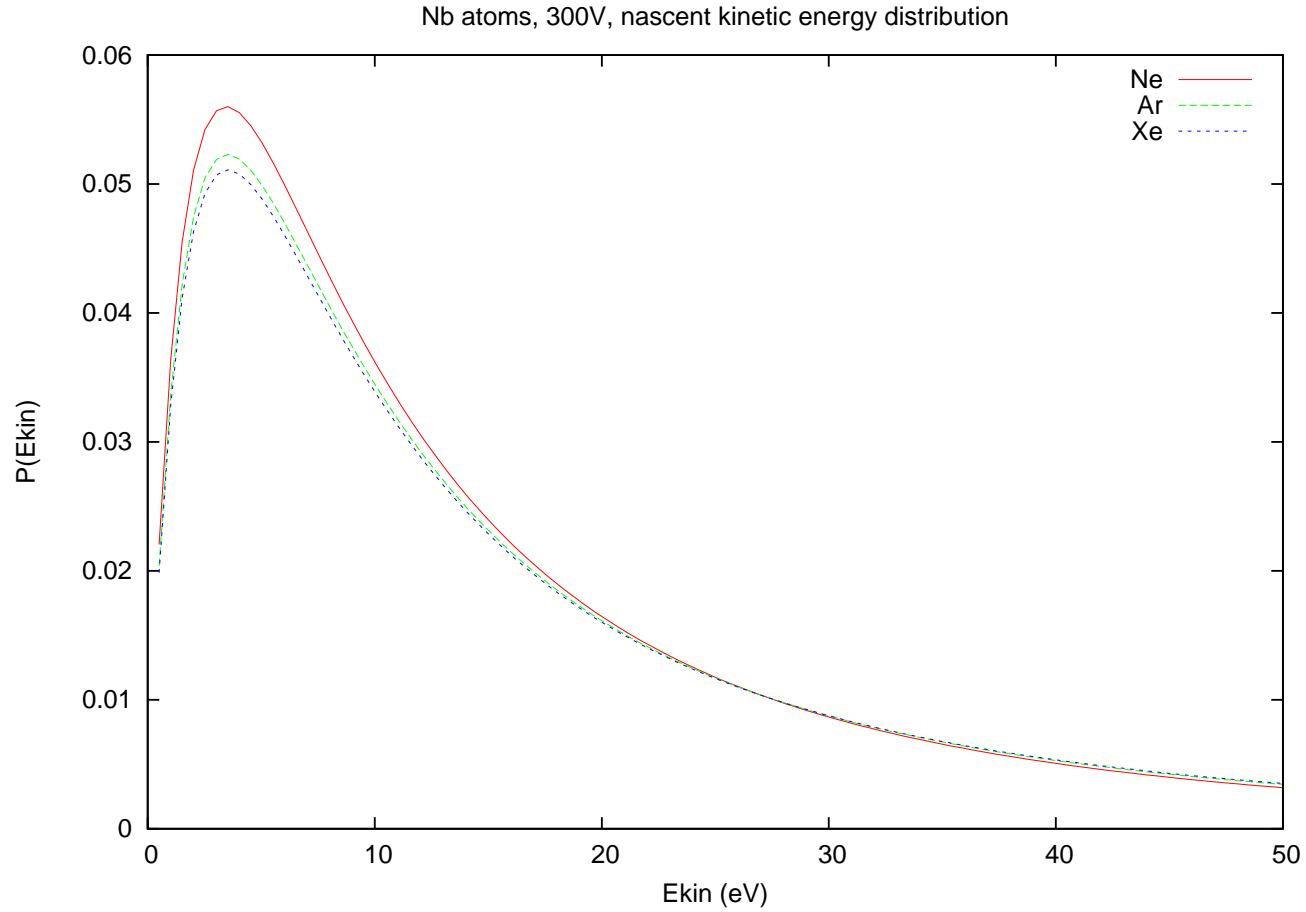
$$P(\phi)d\Omega \sim \cos \phi d\Omega$$

$$P(\phi)d\phi \sim \cos \phi 2\pi \sin \phi d\phi \sim \sin(2\phi)d\phi, \phi = \cos^{-1} \sqrt{\rho_3}$$

$$P(E) = \frac{1 - [(E_{surf} + E) / (\Lambda E_{ion})]^{1/2}}{E^2 (1 + E_{surf} / E)^3}, \max(P) \rho_4 \leq P(E_{max} \rho_5)$$

$$\theta = 2\pi \rho_6$$

Nascent energy distribution for Nb



Sputtering: In-gas transport

Ballistic below 10^{-4} mbar, diffusive above 10^{-1} mbar
Sputtering done exactly in this range ($\text{Kn} \approx 1$)

- Collision partner:

$$P(E_{kin}) \sim e^{-E_{kin}/kT} = e^{-\frac{m_g v^2}{2kT}}$$

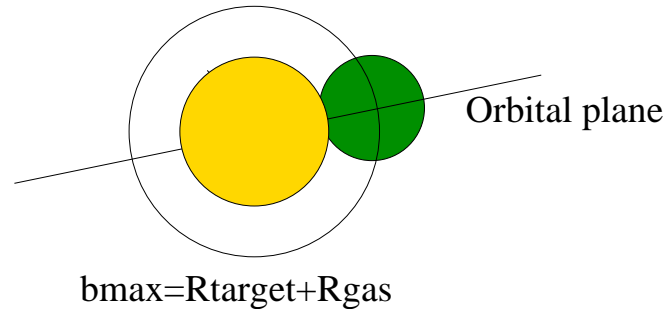
$$v_x = \sigma N(\rho_7), \quad \sigma = \sqrt{kT/m_g}, \quad T=450\text{K}$$

- Mean flight path: $\lambda(\mathbf{v}_{rel}) = \frac{m_g v_{rel}^2}{2\sqrt{\pi} P b_{max}^2 f(|\mathbf{v}_{rel}|) \sqrt{\frac{m_g}{2kT}}}$

$$f(v) = v e^{-v^2} + (2v^2 + 1) \frac{\sqrt{\pi}}{2} \text{erf}(v)$$

- Free flight path is exponentially distributed with mean $\lambda(\mathbf{v}_{rel})$: $\mathbf{p}_{new} = \mathbf{p} - \lambda(\mathbf{v}_{rel}) \ln(\rho_8) \frac{\mathbf{v}}{|\mathbf{v}|}$

Sputtering: Collision



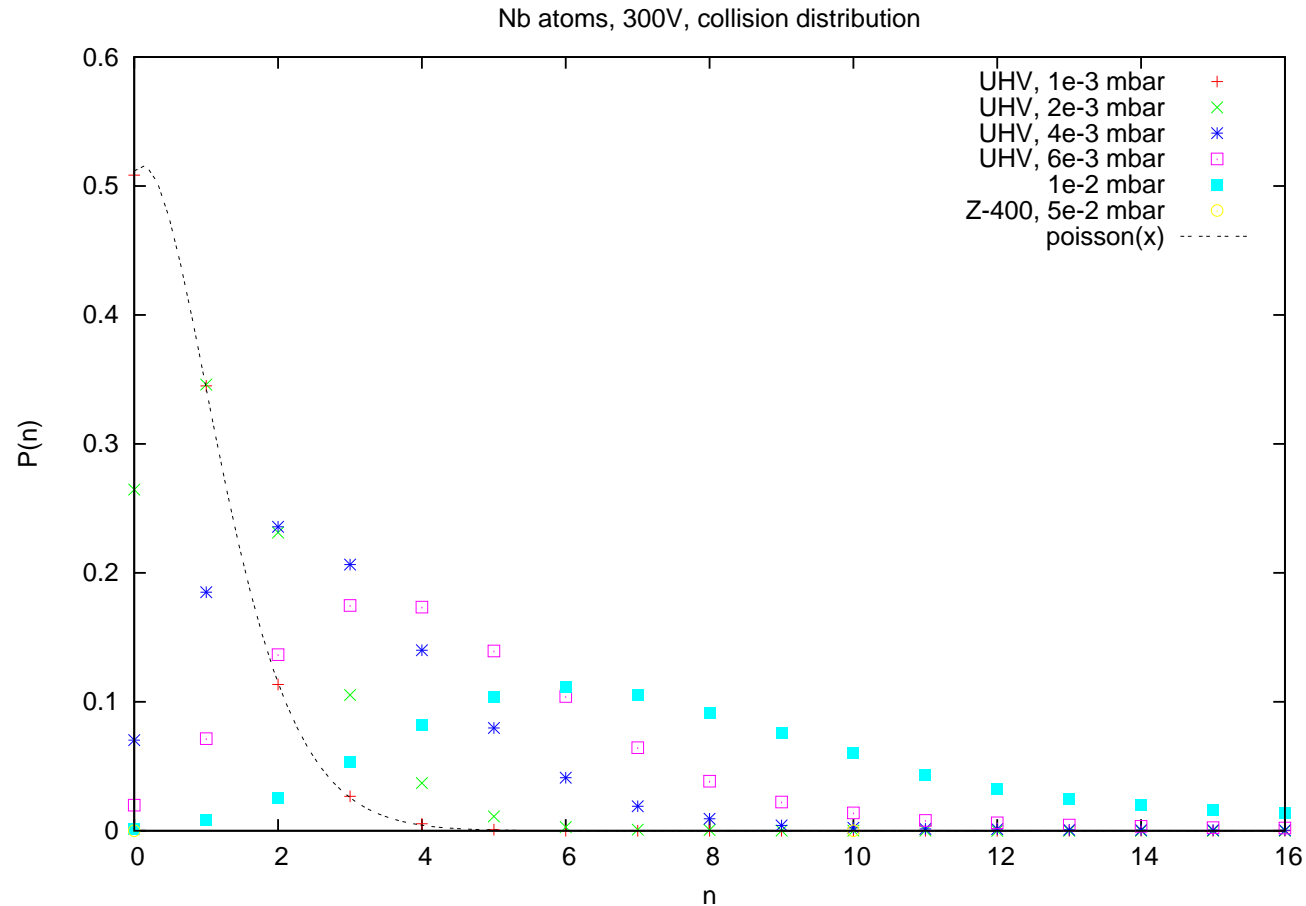
- impact parameter b : $P(b) \sim b$, $b = \sqrt{\rho_9}$
- orbital plane angle γ : $P(\gamma) = U_{[0,2\pi>}$, $\gamma = 2\pi\rho_{10}$
- Now: integrate equations of motion for some potential (LJ (6/12), Abrahamson) or assume hard sphere scattering (computationally more attractive).
- Hard sphere model deviates a couple of degrees at small angles and below 1 eV.

Monte Carlo algorithm

```
while (less than N atoms on substrate)
  sputter atom
  free-fly
  while (not wall collision)
    collide
    free-fly
  if (wall is substrate)
    save position, velocity etc.
```

- N=40000 for ‘good statistics’
- 10^9 atoms sputtered for a realistic geometry
- Simulation time: 5-30 minutes (depending mainly on the gas pressure)

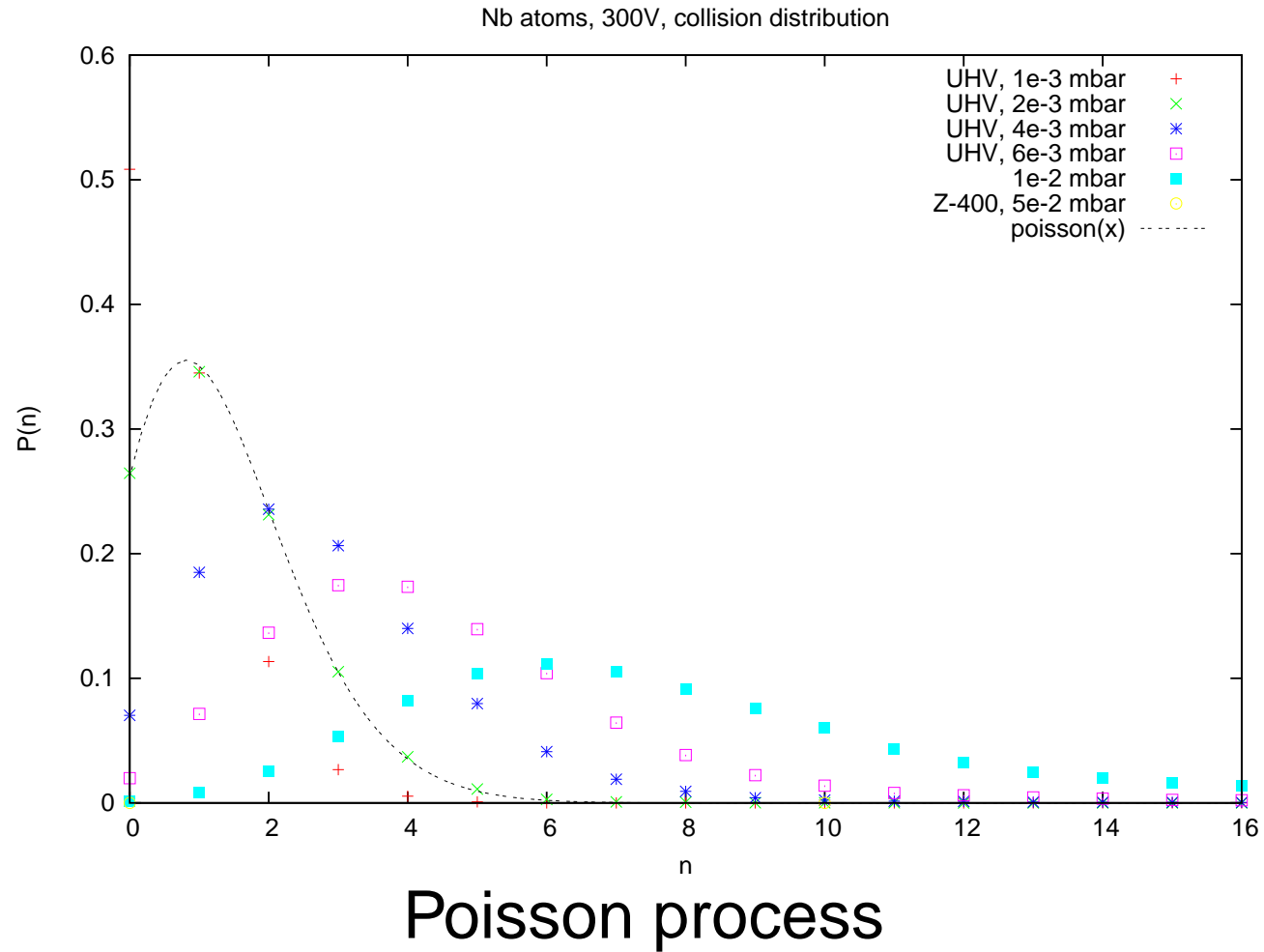
Results: Collision histograms



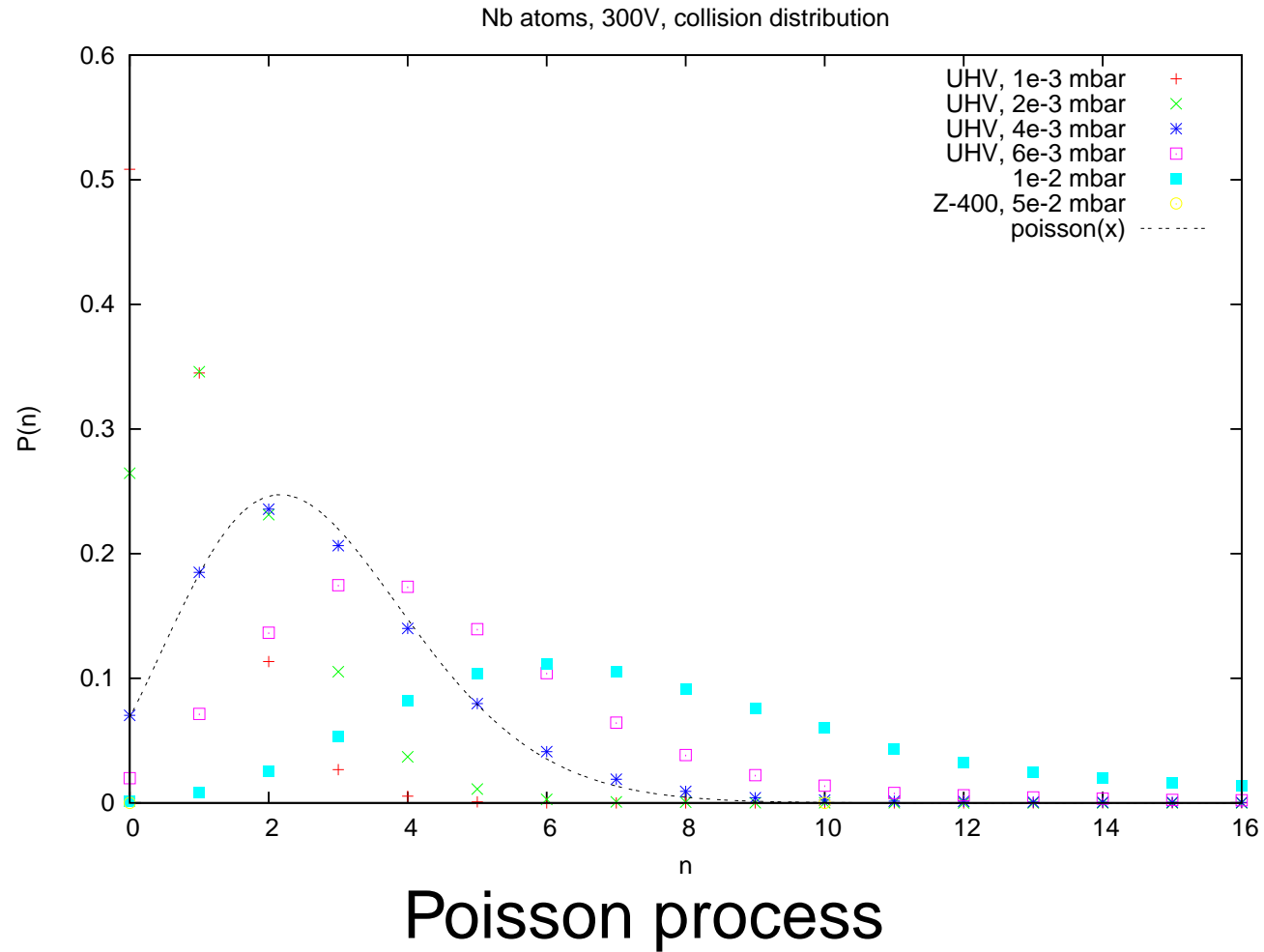
Poisson process:
$$P(n) = \frac{\mu^n e^{-\mu}}{n!}, \quad \mu \approx \frac{\text{distance}}{\text{mean freepath}}$$



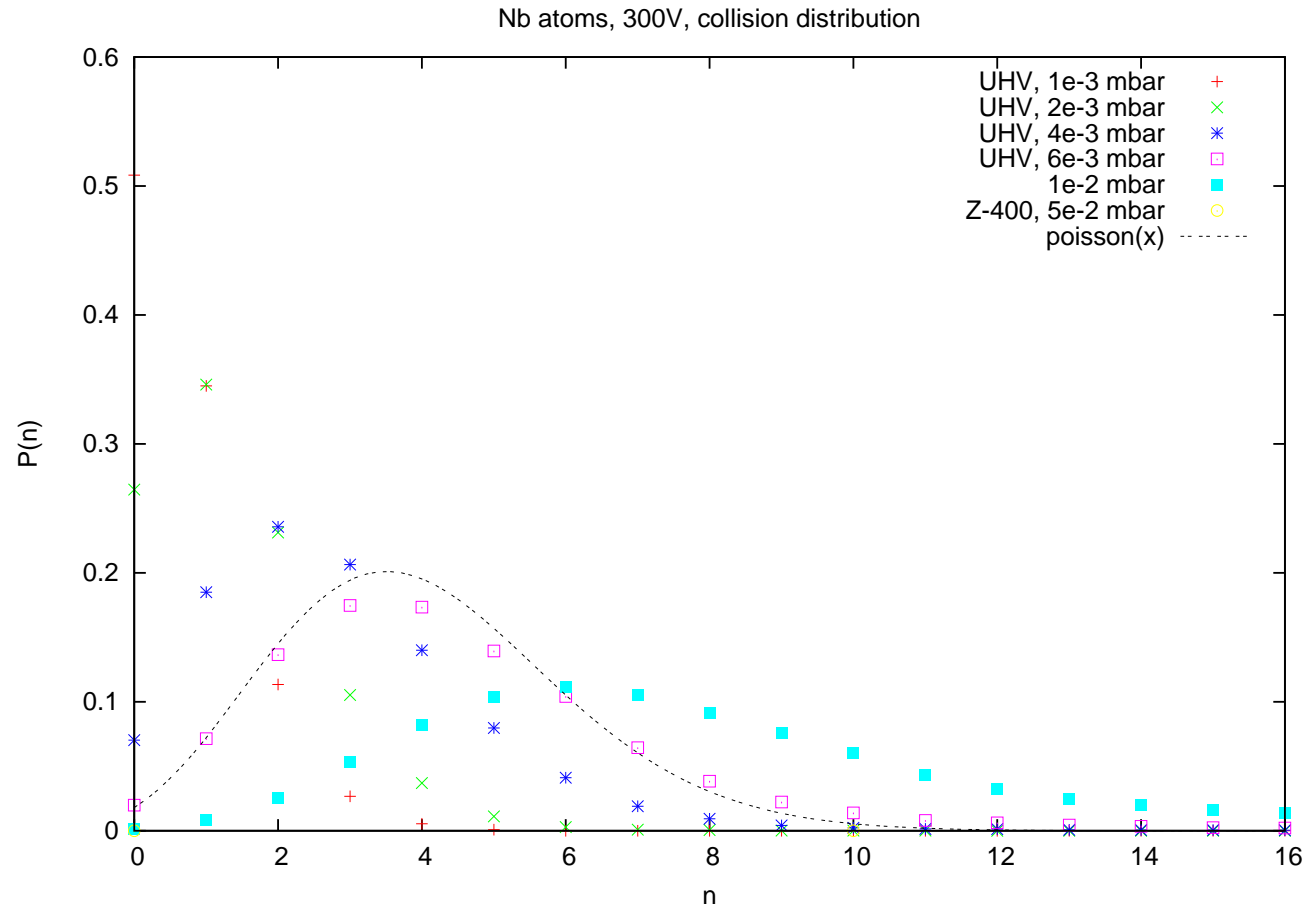
Results: Collision histograms



Results: Collision histograms

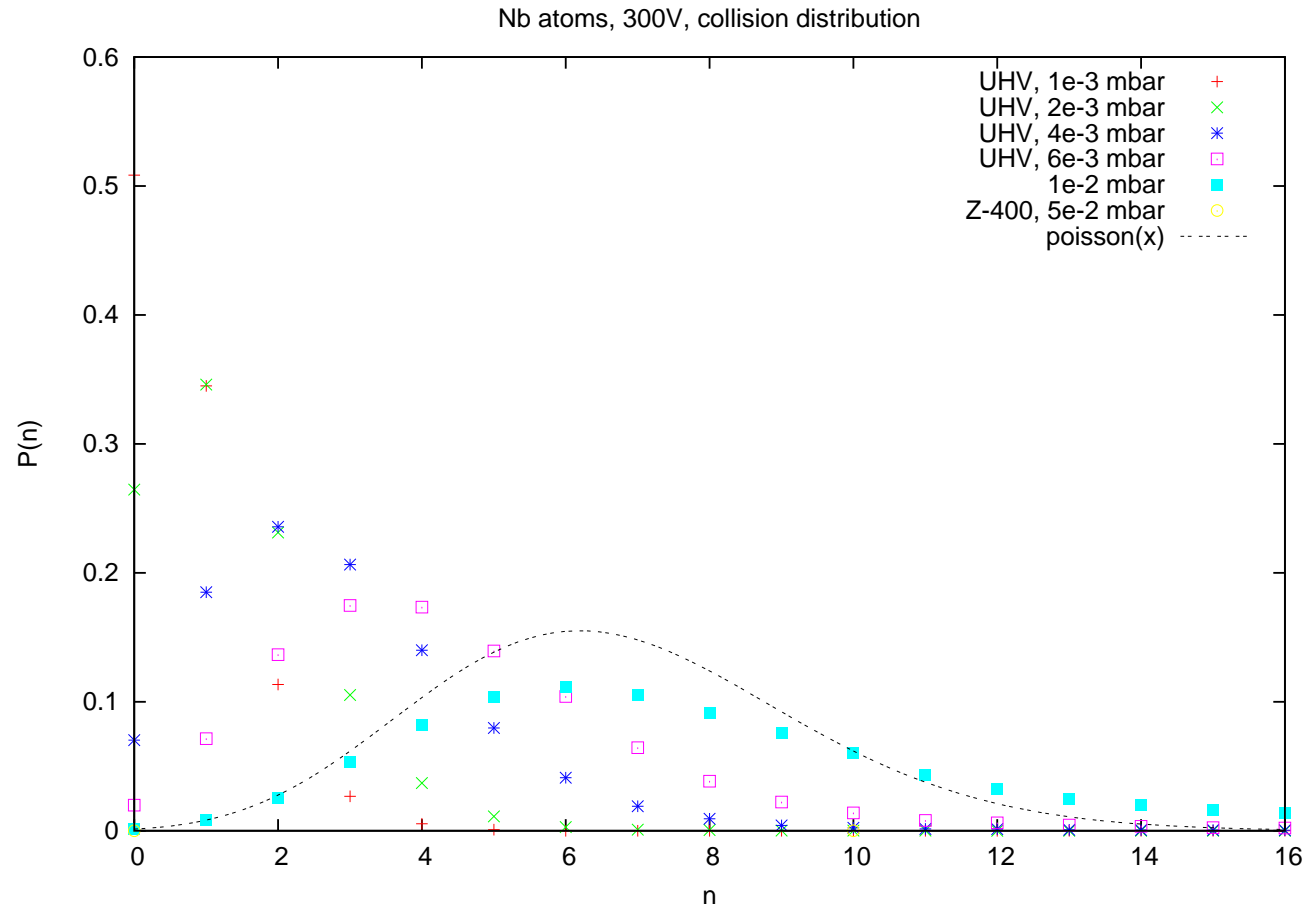


Results: Collision histograms



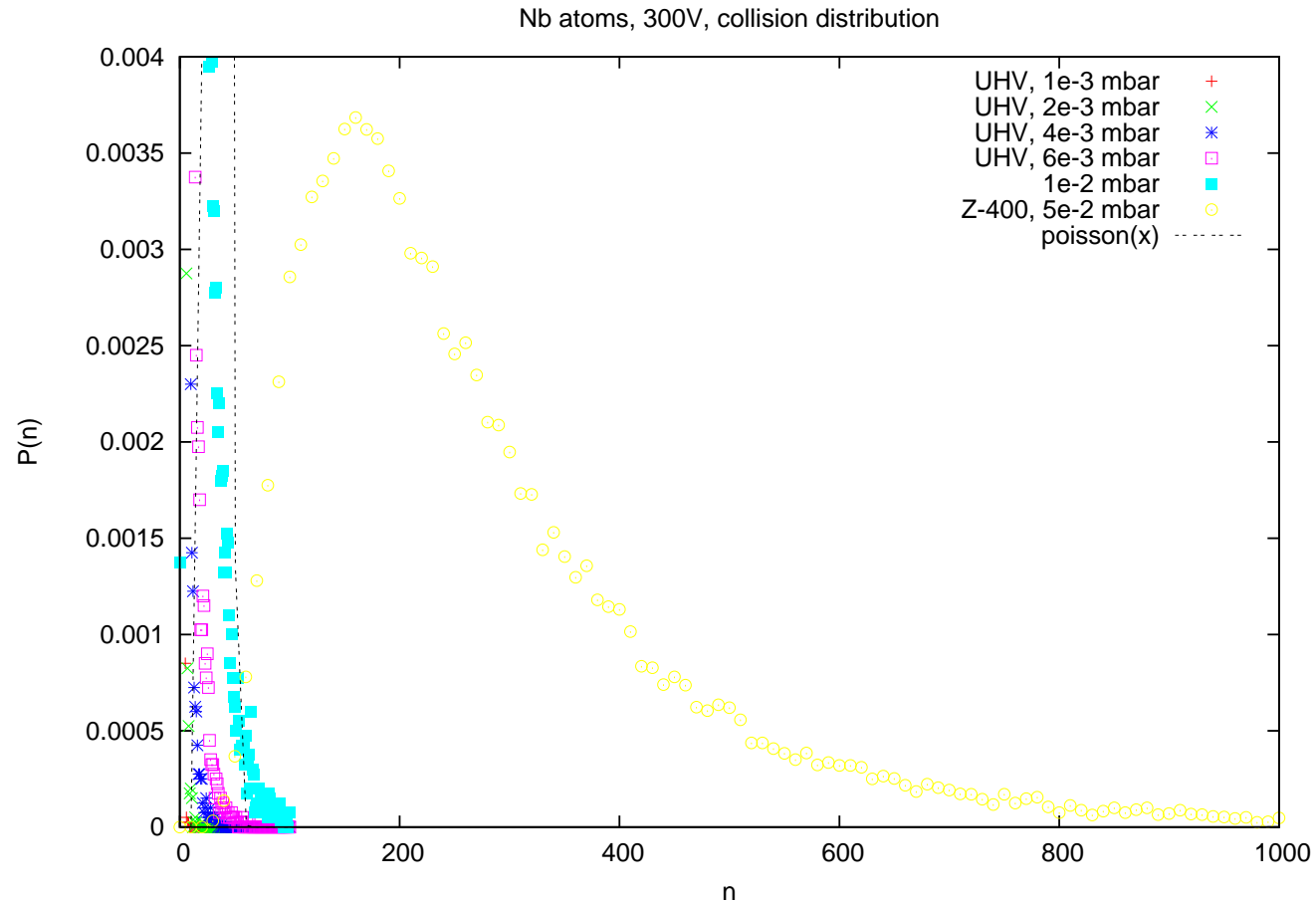
Deviation from Poisson process

Results: Collision histograms



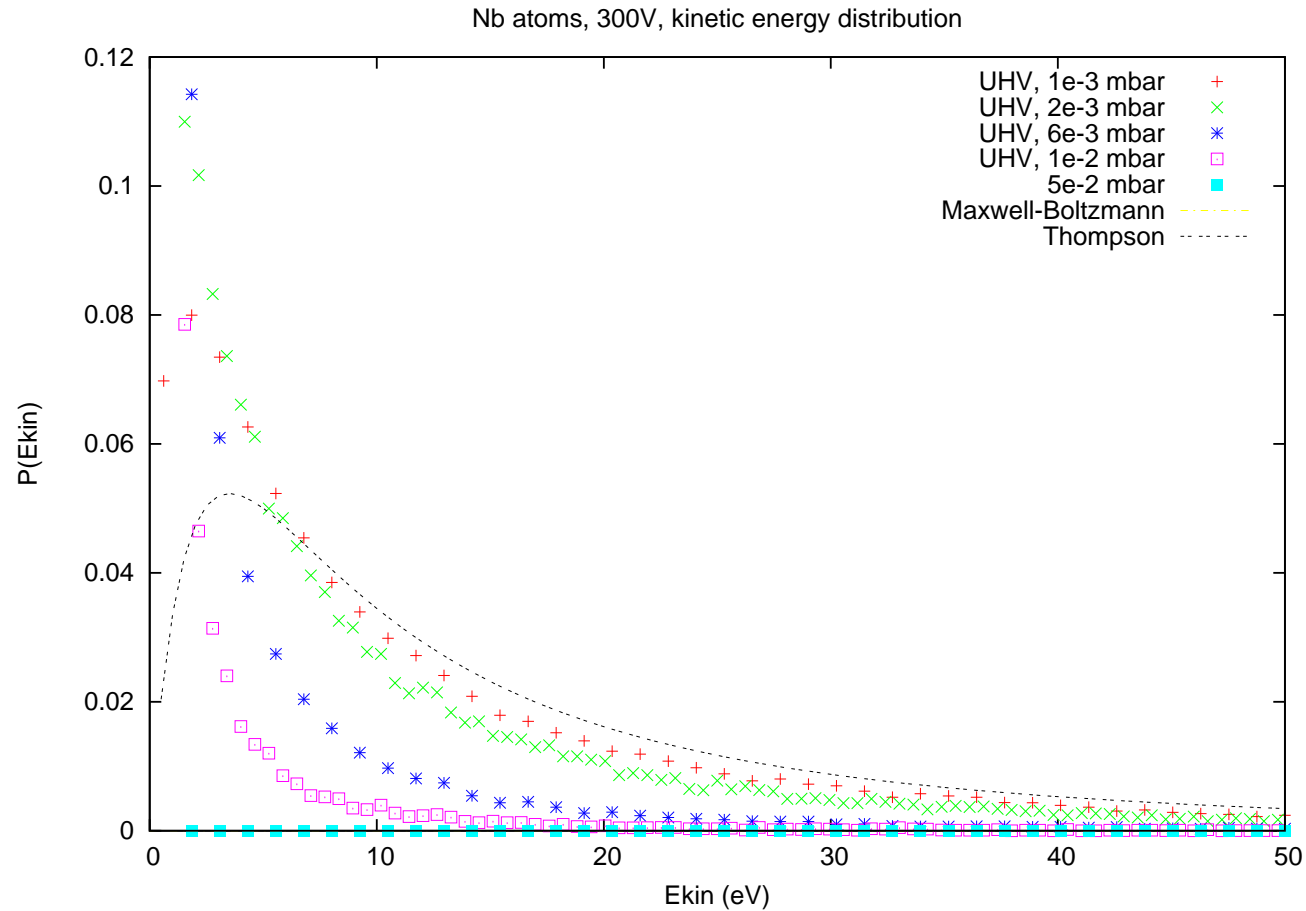
About to become diffusive...

Results: Collision histograms



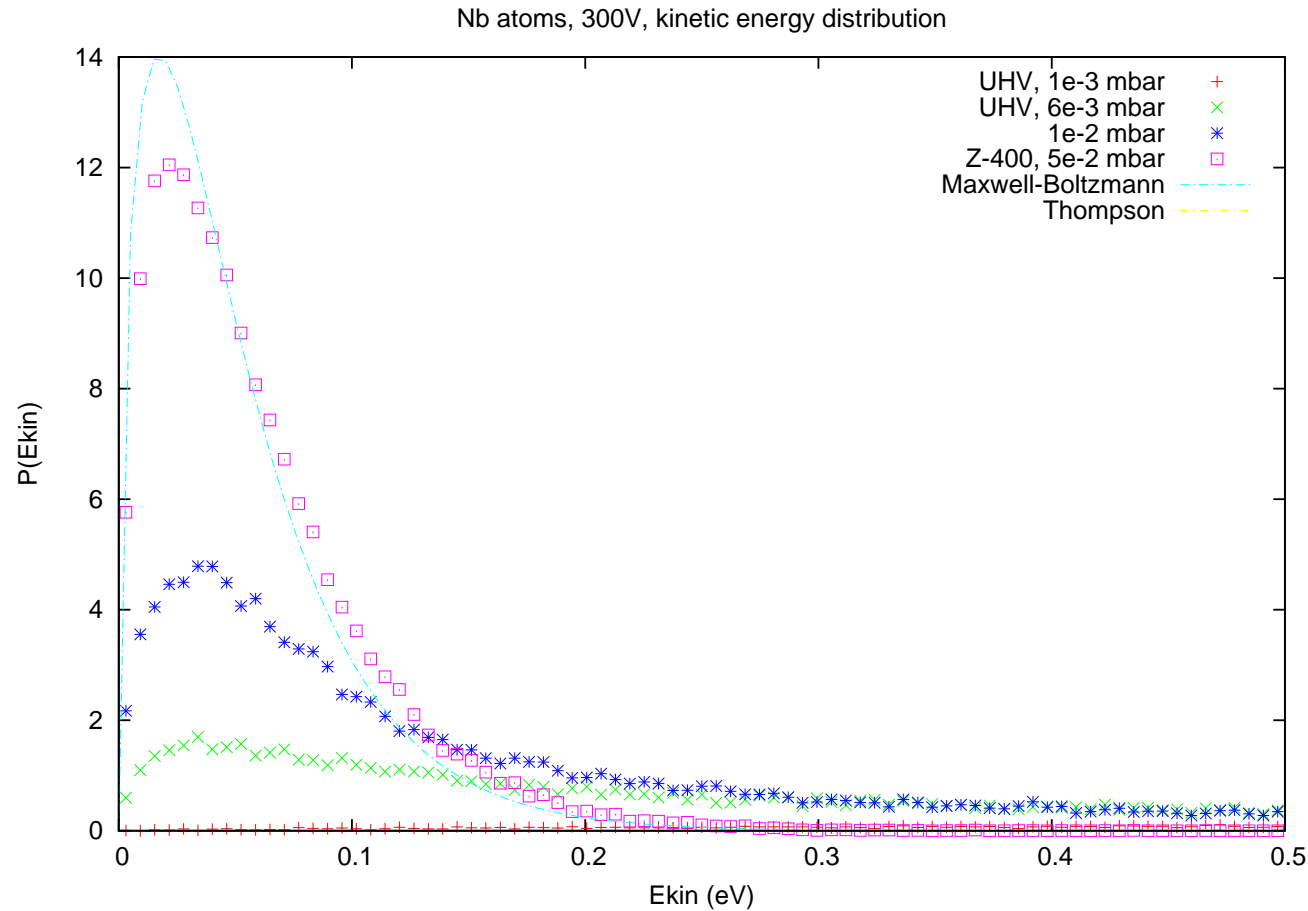
Diffusive (thermalized) transport

Results: Impact energy distribution



Low pressure (magnetron sputtering)

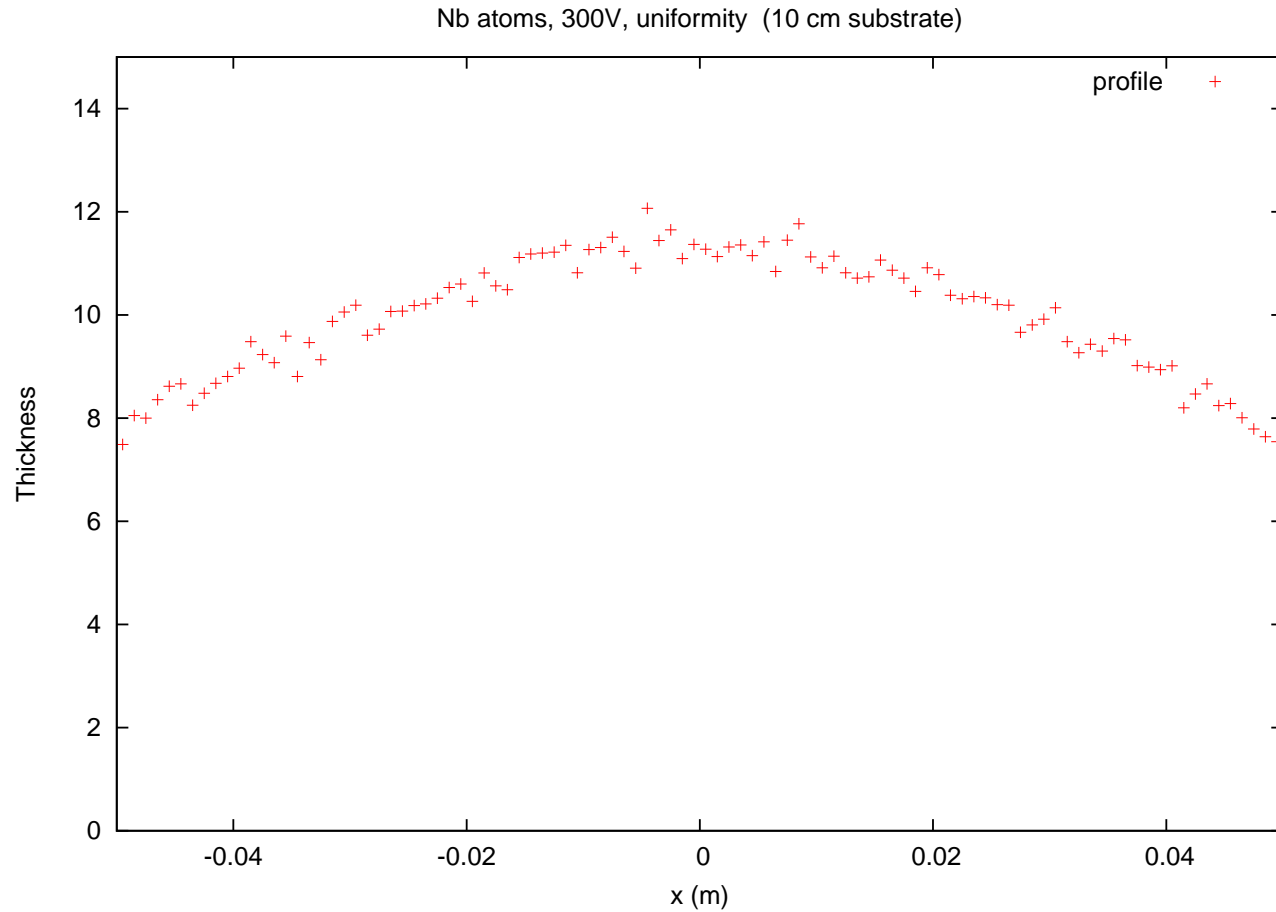
Results: Impact energy distribution



High pressure (diode sputtering)

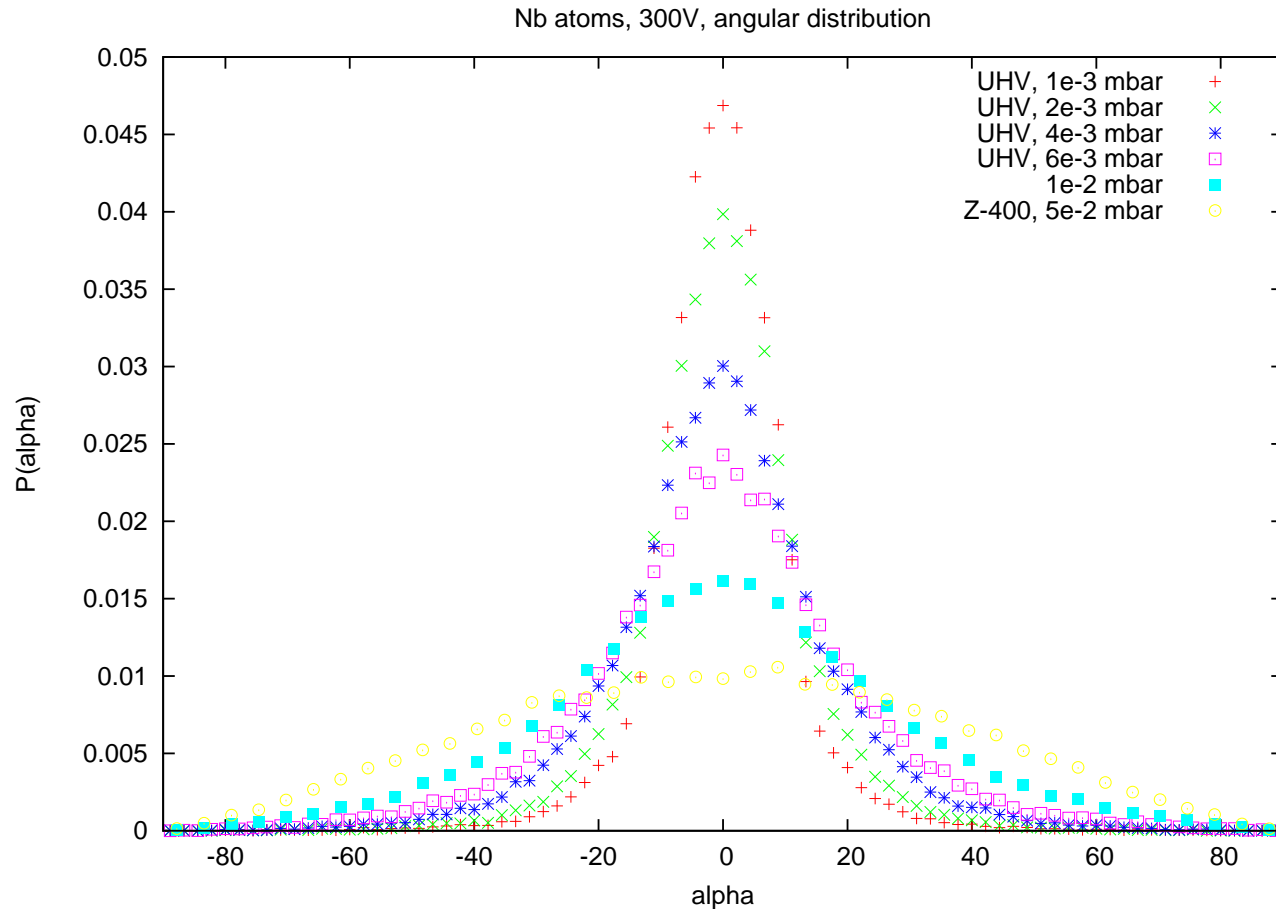


Results: uniformity



10 cm substrate

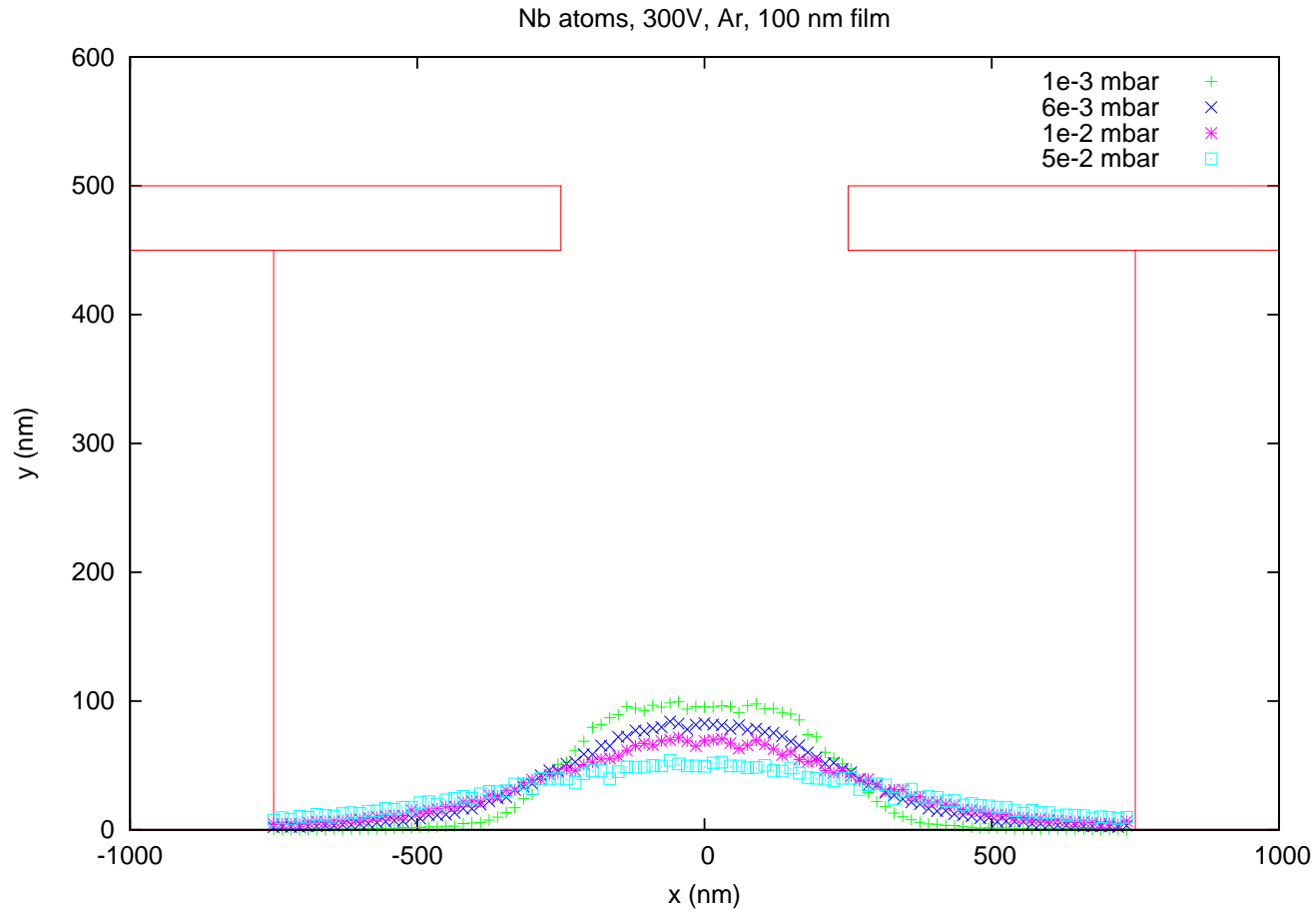
Results: Impact angle distribution



High pressure: $\cos \phi$ distribution (diffusive)

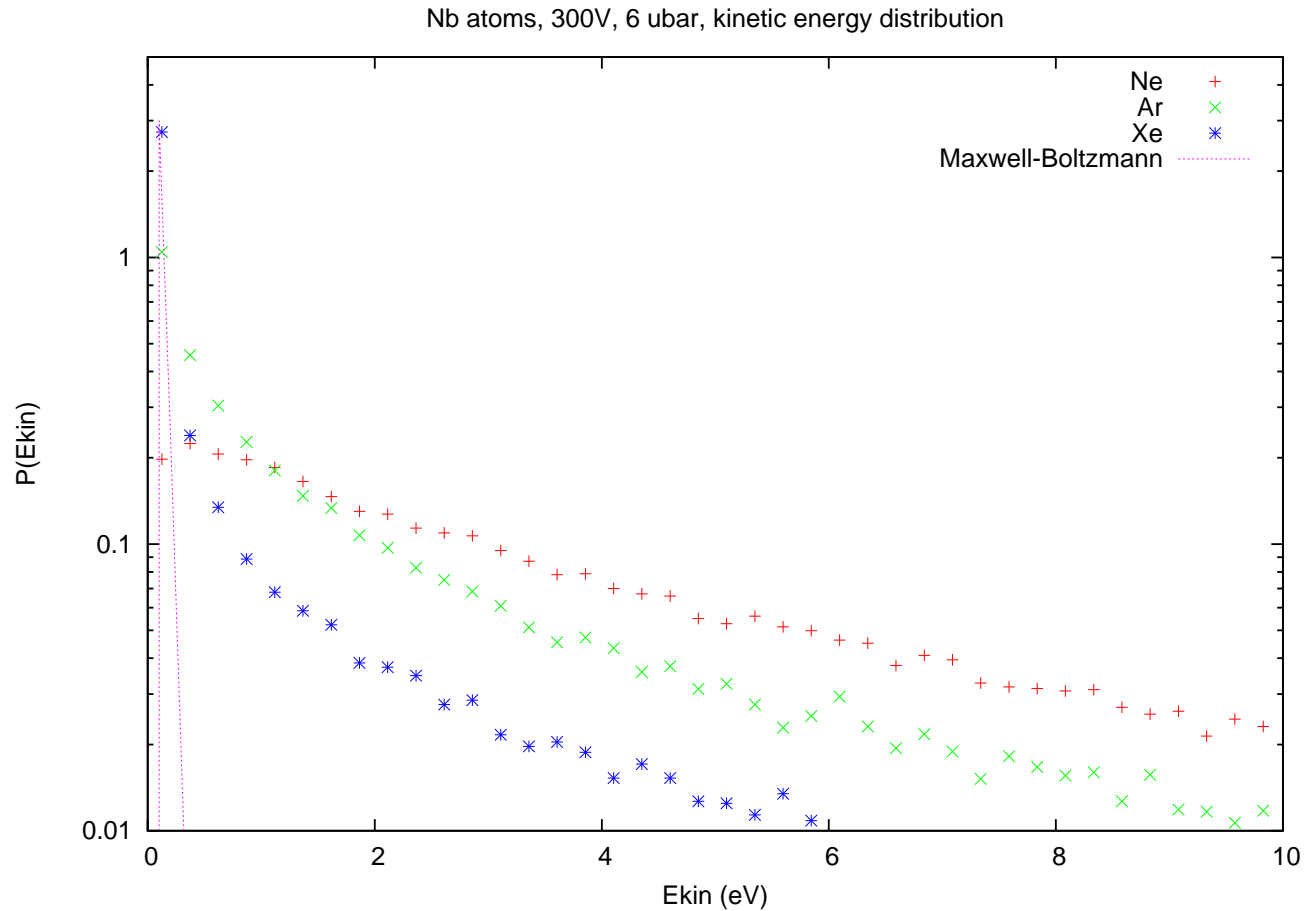


Results: Ray-tracing the cross section



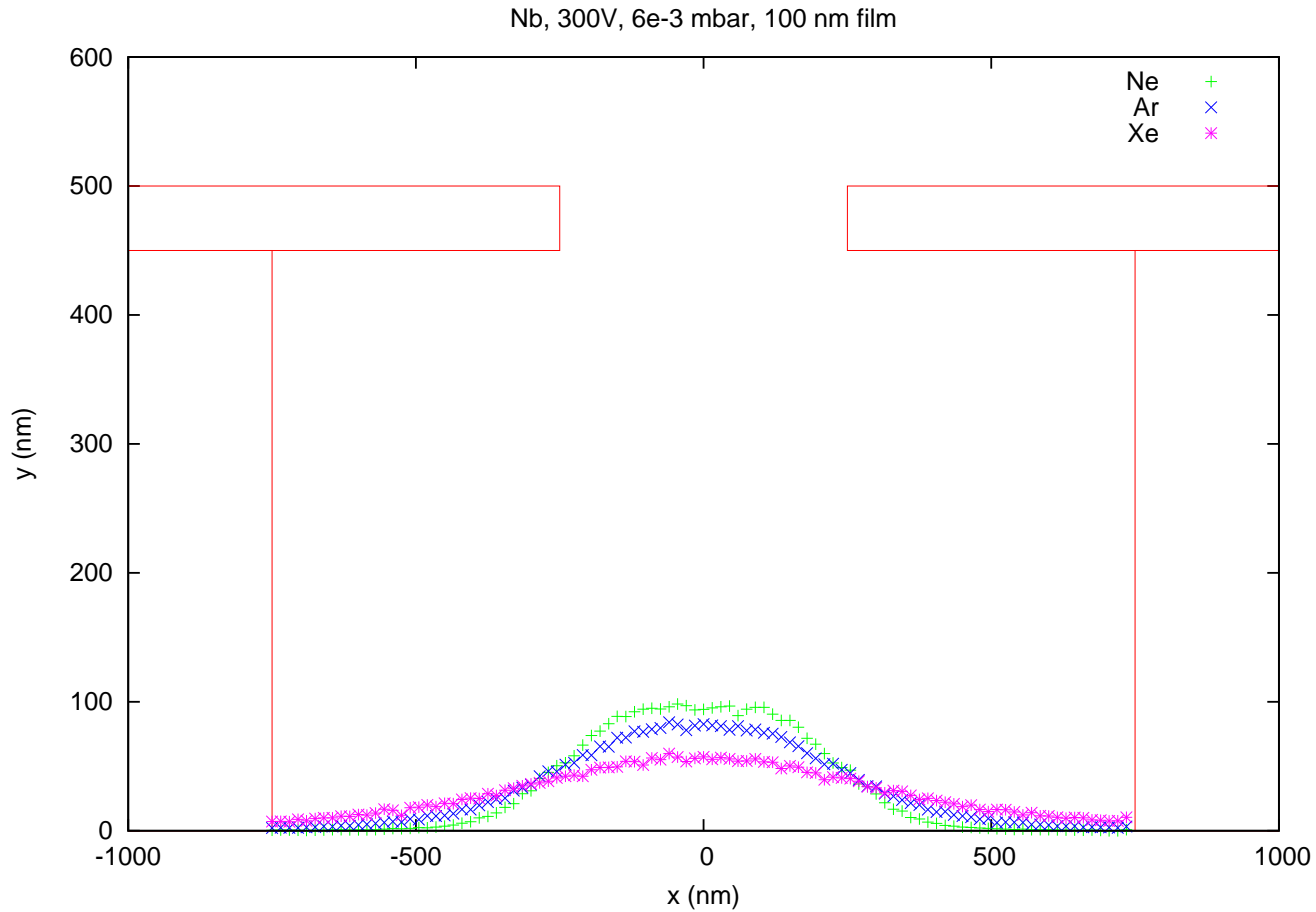
Large-area thickness: 100 nm

Results: Gas dependence



Very different growth conditions!

Results: Gas dependence 2



Gas choice can be important!

Conclusions

- Sputtering gas and pressure determine the growth conditions (the gas is a moderator)
- But at high pressures liftoff produces undesired results
- We can simulate this process
- The simulation results correspond with our findings
- We can calculate required sputtering conditions

The program is called `sputsim` and will be installed on the public PC in room 626